Global Gravity Wave Variances from Aura MLS: Characteristics and Interpretation

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ABSTRACT
The gravity wave (GW)–resolving capabilities of 118-GHz saturated thermal radiances acquired throughout the stratosphere by the Microwave Limb Sounder (MLS) on the Aura satellite are investigated and initial results presented. Because the saturated (optically thick) radiances resolve GW perturbations from a given altitude at different horizontal locations, variances are evaluated at 12 pressure altitudes between 11 and 51 km using the 40 saturated radiances found at the bottom of each limb scan. Forward modeling simulations show that these variances are controlled mostly by GWs with vertical wavelengths $\lambda_z \approx 5$ km and horizontal along-track wavelengths of $\lambda_y \approx 100–200$ km. The tilted cigar-shaped three-dimensional weighting functions yield highly selective responses to GWs of high intrinsic frequency that propagate toward the instrument. The latter property is used to infer the net meridional component of GW propagation by differencing the variances acquired from ascending (A) and descending (D) orbits. Because of improved vertical resolution and sensitivity, Aura MLS GW variances are 5–8 times larger than those from the Upper Atmosphere Research Satellite (UARS) MLS. Like UARS MLS variances, monthly-mean Aura MLS variances in January and July 2005 are enhanced when local background wind speeds are large, due largely to GW visibility effects. Zonal asymmetries in variance maps reveal enhanced GW activity at high latitudes due to forcing by flow over major mountain ranges and at tropical and subtropical latitudes due to enhanced deep convective generation as inferred from contemporaneous MLS cloud-ice data. At 21–28-km altitude (heights not measured by the UARS MLS), GW variance in the tropics is systematically enhanced and shows clear variations with the phase of the quasi-biennial oscillation, in general agreement with GW temperature variances derived from radiosonde, rocketsonde, and limb-scan vertical profiles. GW-induced temperature variances at $\approx 44$-km altitude derived from operational global analysis fields of the ECMWF Integrated Forecast System in August 2006 reveal latitudinal bands of enhanced GW variance and preferred GW meridional propagation directions that are similar to those inferred from the MLS variances, highlighting the potential of MLS GW data for validating the stratospheric GWs simulated and/or parameterized in global models.

1. Introduction
Gravity waves (GWs) play a key role in the global meteorology, climate, chemistry, and microphysics of the stratosphere and mesosphere (Fritts and Alexander 2003). Because finite computational resources force global climate–chemistry and weather prediction models to run at spatial resolutions that do not adequately resolve GW dynamics, these important GW-induced effects must be parameterized (e.g., McLandress 1998; Kim et al. 2003). Arguably the greatest weakness in current GW parameterizations is their poorly constrained specifications of lower atmospheric sources (see, e.g., McLandress and Scinocca 2005). Although it is recognized that GWs can be excited by flow across mountains, convection, and imbalance/instability within rapidly evolving baroclinic jet/frontal systems (e.g., Fritts et al. 2006), the relative contributions of these sources to the GW spectrum encountered in the middle atmosphere remains highly uncertain, particularly with respect to GWs radiated from jet imbalance (see, e.g., section 7h of Kim et al. 2003).

Direct measurements of GWs by advanced satellite
remote sensors can reduce some of these uncertainties (Wu et al. 2006a). One of the first satellite instruments to provide global measurements of stratospheric GWs was the Microwave Limb Sounder (MLS) on the Upper Atmosphere Research Satellite (UARS; Wu and Waters 1996, 1997). Those measurements provided initial insights into some of the major orographic and deep convective sources of GWs for the middle atmosphere (e.g., McLandress et al. 2000; Jiang et al. 2002, 2004a,b, 2005, 2006). A new MLS instrument on the Earth Observing System (EOS) Aura satellite started acquiring data in July 2004. In this study we extend the analysis of GWs using saturated thermal stratospheric radiances from the UARS MLS to the new radiances now being acquired by the Aura MLS. The new instrument was designed to measure atmospheric composition with emphasis on the upper troposphere and lower stratosphere (UTLS). One of the seven Aura MLS radiometers measures thermal O$_2$ emission features near 118 GHz with sensitivity, vertical resolution, and spectral coverage that are all much improved over the UARS MLS 63-GHz measurements acquired during 1991–97. Thus, the Aura MLS 118-GHz radiances are more sensitive to GWs than the earlier UARS MLS 63-GHz measurements.

The stratospheric GWs observed by the MLS differ from those observed by other satellite instruments in at least two important ways. First, the MLS GW product is not derived from the retrieved temperature, as is the case for other limb sounders such as LIMS (Limb Infrared Monitor of the Stratosphere; Fetzer and Gille 1994), CRISTA (Cryogenic Infrared Spectrometers and Telescopes for the Atmosphere; Preusse et al. 2002), GPS/MET occultation (meteorological applications of the Global Positioning System; Tsuda et al. 2000), and SABER (Sounding of the Atmosphere using Broadband Emission Radiometry; Preusse et al. 2006). These techniques deduce atmospheric pressure and/or temperature from optically thin radiances and can measure GW-induced temperature perturbations with slightly better vertical resolution but relatively poorer horizontal resolution than MLS. Thus, the resolved GW-induced temperature variances from these instruments correspond to different portions of the three-dimensional (3D) GW wavenumber spectrum than those based on saturated radiances (Wu et al. 2006a). Second, the MLS radiance responses to GW-induced temperature perturbations are very sensitive to the wave’s horizontal propagation direction, unlike GW data from nadir sounders, such as the Advanced Microwave Sounding Unit A (AMSU-A; Wu 2004) and the Atmospheric Infrared Sounder (AIRS; Alexander and Barnet 2007), and from other limb sounders, such as LIMS, CRISTA, and SABER. Because MLS has a very shallow viewing angle (3°–8° above the local horizon) and a narrow field of view (FOV), its saturated radiances have 3D weighting functions (WFs) that are tilted up from the horizon with an aspect ratio of ~1:10 for the vertical to horizontal length scales. When tilted GW phase structures coalign with these tilted WFs, they produce a strong radiance perturbation signal. As a result, the GW-induced radiance variance observed by MLS can differ significantly, depending on the viewing direction with respect to horizontal GW propagation. Thus, variance differences for the same GWs observed by MLS from different viewing angles can be used to infer anisotropies in GW horizontal propagation directions (Jiang and Wu 2001). Such a viewing-dependent difference in response is clearly evident after sorting monthly-mean variances from ascending (i.e., satellite latitude increasing with time) and descending (i.e., satellite latitude decreasing with time) orbits (Wu and Waters 1997).

The paper is organized as follows: Section 2 describes the Aura MLS instrument, focusing on the 118-GHz thermal channels that resolve GW perturbations in saturated radiance measurements. Section 3 outlines our variance calculations and the sensitivity of these radiance variances to GWs of different wavelengths and horizontal propagation directions. Section 4 presents these variances as a function of altitude, season, and geographical location as a means of inferring information on stratospheric GW amplitudes, horizontal propagation directions, and source characteristics. In section 5, MLS GW variances are cross-correlated at 45-km altitude in August 2006 with small-scale GW-induced temperature oscillations explicitly resolved in high-resolution global analysis fields issued by the European Centre for Medium-Range Weather Forecasts (ECMWF) Integrated Forecast System (IFS). Section 6 summarizes major results from this study and briefly discusses areas for future work.

2. The MLS Experiment on Aura

The Aura MLS scans the atmospheric limb continuously. Each scan, also called a major frame (MAF), takes 24.7 s, covers tangent heights $h_t$ ranging from the surface ($h_t = 0$ km) to $h_t \approx 92$ km (Waters et al. 2006), and is separated horizontally from adjacent scans by ~165 km. Each MAF is further divided into 148 minor frames (MIFs) with ~120 MIFs devoted to atmospheric measurements.

We focus here on thermal radiances from the 25 channels centered on the strong 118-GHz O$_2$ line (channel 13) and its various wing line emissions that are
Distributed symmetrically about the center line and that saturate at progressively lower heights in the atmosphere (see Table 1). In the normal operation mode (Waters et al. 2006), each of these Aura MLS channels yields more than 40 saturated radiance measurements at the bottom of each scan that can be used for GW analysis, compared to only six saturated measurements in the UARS MLS 63-GHz thermal radiance channels. According to radiative transfer theory, the saturated microwave radiance is a direct measurement of blackbody emission of atmospheric air at a particular altitude layer defined by the temperature WF. Fluctuations in the saturated radiances occur because of air temperature fluctuations within that layer, and one can derive the GW-induced temperature variance from these radiance fluctuations. The increased number of saturated radiance measurements from Aura MLS means that the GW variance can be estimated more precisely using data from a single scan.

Because GWs have 3D phase structures that depend on phase speed, propagation direction, and the background environment, the MLS viewing geometry, which affects the orientation and shape of the WFs, is important for understanding its sensitivity to various types of GWs. The Aura MLS 118-GHz radiance channels have an angular FOV with a full-width half-maximum (FWHM) of \( \sim 0.113^\circ \), corresponding to a vertical width of \( \sim 4.9 \) km (Cofield and Stek 2006) at the volume where the radiance is saturated, which is located \( \sim 2500 \) km from the spacecraft. The UARS MLS 63-GHz FOV is \( \sim 0.206^\circ \), or \( \sim 9.6 \)-km vertical width at the limb (Jarnot et al. 1996; Wu and Waters 1996), much broader than that of the Aura MLS. Another important difference for GW detection is that the UARS MLS observed at \( 90^\circ \) to the spacecraft motion, whereas Aura MLS observes along the direction of spacecraft motion. The Aura MLS cross-track FOV at 118 GHz is \( \sim 0.23^\circ \), or \( \sim 10 \) km at the limb. Because of the forward-viewing Aura MLS geometry, this cross-track width of the 3D WF has a much smaller influence on GW detection compared to the much longer WF widths along track. Therefore, in this paper we focus only on how the two-dimensional (2D) WF cross-sections along the orbit plane affect GW detection. Unlike UARS, Aura does not make periodic yaw maneuvers that interrupt sampling patterns, and so the forward-viewing Aura MLS measurements cover latitudes between 82\(^{\circ}\)S and 82\(^{\circ}\)N every day.

Aura MLS can resolve GW perturbations down to UTLS altitudes using radiances from other frequency channels located well away from the 118-GHz \( \text{O}_2 \) line. Because most GWs are generated in the troposphere, these new UTLS GW observations are especially valuable in pushing the MLS GW measurements down closer to source regions. MLS GW observations in the troposphere rely primarily on the four wideband channels at 115.2, 117.0, 120.5, and 122.0 GHz. However, the 115.2- and 122.0-GHz radiances can be contaminated by cloud scattering and the 117.0- and 120.5-GHz channels have fewer than 40 useful saturated radiance measurements. Because MLS GW variances are sensitive to the number of radiance measurements used in the calculation (see, e.g., Fig. 3 of Jiang et al. 2002), here we require that each channel must have 40 saturated ra-

### Table 1. Aura MLS 118-GHz radiance noise in normal operation.

<table>
<thead>
<tr>
<th>MLS channels</th>
<th>Saturation height (km)</th>
<th>Instrument ( \sigma^2(n)^a ) (K(^2))</th>
<th>Minimum detectable GW variance ((\times 10^{-3} \text{ K}^2))</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td>Mapsb Zonal mean(^c) Monthly 5 day Monthly Daily</td>
<td></td>
</tr>
<tr>
<td>1 (25)</td>
<td>21.7</td>
<td>0.061</td>
<td>2.3 5.6</td>
</tr>
<tr>
<td>2 (24)</td>
<td>23.0</td>
<td>0.065</td>
<td>2.4 5.9</td>
</tr>
<tr>
<td>3 (23)</td>
<td>24.3</td>
<td>0.065</td>
<td>2.4 5.9</td>
</tr>
<tr>
<td>4 (22)</td>
<td>25.6</td>
<td>0.095</td>
<td>3.5 8.6</td>
</tr>
<tr>
<td>5 (21)</td>
<td>27.3</td>
<td>0.094</td>
<td>3.5 8.5</td>
</tr>
<tr>
<td>6 (20)</td>
<td>29.1</td>
<td>0.098</td>
<td>3.7 8.9</td>
</tr>
<tr>
<td>7 (19)</td>
<td>31.9</td>
<td>0.12</td>
<td>4.6 11</td>
</tr>
<tr>
<td>8 (18)</td>
<td>34.3</td>
<td>0.19</td>
<td>7.0 17</td>
</tr>
<tr>
<td>9 (17)</td>
<td>37.0</td>
<td>0.24</td>
<td>8.9 22</td>
</tr>
<tr>
<td>10 (16)</td>
<td>40.1</td>
<td>0.36</td>
<td>13 33</td>
</tr>
<tr>
<td>11 (15)</td>
<td>44.1</td>
<td>0.46</td>
<td>17 42</td>
</tr>
<tr>
<td>12 (14)</td>
<td>50.8</td>
<td>0.69</td>
<td>26 63</td>
</tr>
</tbody>
</table>

\( ^a \) This noise variance is approximately one-half of the single-channel noise variance as a result of combining the symmetric channel pairs.

\( ^b \) A grid box of \( 5^\circ \times 10^\circ \) (latitude-longitude) is used in this averaging.

\( ^c \) These zonal means have a \( 5^\circ \) latitude bin.
ance measurements in a given scan, which limits our study to the 25 channels near 118 GHz and excludes the wideband measurements. As shown in Fig. 1a (see also Table 1), the lowest temperature WF peak from these 25 channels occurs at a pressure height of ~21.7 km.

Figure 1b shows these various channel radiances from an MLS scan located near the northern tip of the Antarctic Peninsula at 0402:48 UTC 2 September 2004. Large-amplitude oscillations are evident in the saturated portions of the radiance profiles measured at low $h_t$: the thick solid line in Fig. 1b roughly demarks the unsaturated upper-level radiances from the saturated lower-level radiances for each channel. When a limb radiance saturates, the altitude of its temperature WF (see Fig. 1a) remains roughly constant even though the instrument is scanning vertically. In this case, as depicted in Fig. 2a, vertical scanning then leads to horizontal displacement of the atmospheric volumes, yielding the saturated limb radiances. We fit and then remove a linear trend (due to a slight change in viewing angle) in the saturated radiances to isolate perturbations. The perturbations in saturated radiances from a given channel arise from horizontal temperature variations at the channel’s saturation altitude (see Fig. 2a). Figure 1c plots the perturbations extracted from the saturated radiances from channels 1–12 in Fig. 1b, mapped (based on the saturation altitude and viewing tangent height) to the precise latitude and longitude of the volume along the line-of-sight (LOS) ray to the altitude where the channel is saturated (Fig. 1a): the variation of MLS LOS with latitude is shown in Fig. 2b.

This remapping procedure yields variations as a function of latitude (Fig. 1c) and longitude (not shown) at each channel’s saturation pressure altitude, which ranges from ~22 km for channels 1 and 25 to ~51 km for channels 12 and 14 (see Table 1), assuming a constant scale height of 6.95 km. The along-track distances spanned by the saturated limb radiances in a given MAF vary between $1^\circ$ and $4^\circ$ (or 100–400 km) during normal operation (see Fig. 1c), which is determined by the satellite motion (~7 km s$^{-1}$), the MLS scan rate, and the number of saturated radiances.
which the retrieval algorithm has combined unsaturated radiances from multiple channels in a least squares sense to yield a temperature profile that varies vertically, not horizontally. In the radiance variance analysis used here, although some higher-altitude channels may contain more than 40 saturated radiances, it is important to apply a uniform truncation of 40 points to all channel data since the GW variances are very sensitive the truncation length used (e.g., McLandress et al. 2000; Jiang et al. 2002). The 40-point (pt) cutoff corresponds to a horizontal truncation length of $\sim 140$ km along track, and therefore GWs with along-track horizontal wavelengths longer than this do not contribute significantly to these variances.

3. Variance and sensitivity analyses

a. GW variance calculation

The GW variance calculation is carried out as follows: The 40 saturated radiances are first fitted with a linear function. Then, the residuals from the fit are combined for the symmetric channel pairs (e.g., channels 1 and 25: see Table 1) because they have similar WFs and the signal-to-noise ratio (SNR) of the resulting variance is improved by a factor of 2 compared to single-channel variances. The resulting variance (hereafter called the 40-pt variance) contains contributions from instrument noise ($\sigma_e^2$) and GW-induced variance ($\sigma_{GW}^2$); that is,

$$\sigma^2(n) = \sigma_{GW}^2(n) + \sigma_e^2(n),$$

where $n$ denotes the channel number from 1(25) to 12(14). As shown in Fig. 1c, each scan produces 12 GW variance estimates, each of which has a unique pressure altitude determined by that channel’s WF peak.

We can derive the GW variance using Eq. (1) if the radiance variance and noise can both be estimated accurately: that is, $\sigma_{GW}^2(n) = \sigma^2(n) - \sigma_e^2(n)$. For the Aura MLS, the noise variance $\sigma_e^2$ can be determined with high precision using radiance measurements at high tangent heights where there is no atmospheric signal. However, as described by Wu and Waters (1997) for the UARS MLS, the $\sigma_e^2$ estimate is subject to statistically random noise that dominates the final uncertainty of the $\sigma_{GW}^2$ estimate. Uncertainties in the measured variance $\sigma^2$ depend on the noise variance $\sigma_e^2$ in the case where $\sigma_{GW}^2 \ll \sigma_e^2$. Wu and Waters (1997) showed that the estimated variance $\sigma^2$ has an uncertainty of $\sqrt{2/(M-2)}\sigma^2_e$ for an $M$-pt variance estimation, which yields $-0.23\sigma^2_e$ for $M = 40$, a value sometimes too large to permit statistically significant $\sigma_{GW}^2$ estimates. Thus, further averaging is required to reduce uncertainties in the final $\sigma_{GW}^2$ estimate.
One approach to improving the $\sigma^2_{GW}$ statistics is to average the variance measurements over a period of time or over a large geographical region. The variance uncertainty will be reduced to $0.23\sigma^2_{\epsilon}/\sqrt{J}$ if $J$ is the number of independent variance measurements that are averaged. A trade-off between spatial and temporal averaging needs to be made, depending on the GW problems of interest. Averaging over a long period of time helps to detect weak GW variances over an isolated geographical region (e.g., Jiang et al. 2004a) but removes information on short-term variability. On the other hand, variances averaged over a large geographical domain (e.g., zonal means) can yield statistically significant GW information on daily time scales, but with the loss of regional information (e.g., zonal asymmetries). If GWs occur persistently or frequently over a given geographical region, we typically choose to average the variances over a long period of time (say, 1 month) within a small region, such as a $5^\circ \times 10^\circ$ latitude–longitude box. Within a $5^\circ \times 10^\circ$ grid box, the Aura MLS typically produces about six profiles every 5 days from just the ascending orbits alone, which would improve the minimum detectable variance of channel 1(25) to $5.6 \times 10^{-3}$ K$^2$. For a monthly mean, this lower limit can be reduced still further to $2.3 \times 10^{-3}$ K$^2$. Estimated noise variances $\sigma^2_{\epsilon}$ and statistical uncertainties for $\sigma^2_{GW}$ under various averaging scenarios are listed in Table 1 for all 12 MLS channel pairs. In section 4 we analyze GW variances $\sigma^2_{GW}$ derived from some of these different averaging scenarios.

In addition to the variance averaging, the truncation length $M$ used in the variance calculation can also affect the value of minimum detectable GW variance. Because stratospheric GWs show larger temperature variances at long horizontal wavelengths (e.g., Bacmeister et al. 1996; Koshyk and Hamilton 2001; Wu 2001), a longer truncation length should yield larger GW variance values. In the MLS case, the truncation length is limited by the number of saturated radiances within each scan, except for special limb-tracking operations in which saturated data sequences can span thousands of kilometers. UARS MLS limb-tracking observations show that GW variances increase exponentially with horizontal scales between 100 and 1000 km (McLandress et al. 2000; Wu 2001; Jiang et al. 2002).

b. MLS GW visibility function

As with other GW-resolving satellite sensors (Alexander 1998; McLandress et al. 2000; Preusse et al. 2002; Jiang et al. 2004a; Wu 2004; Eckermann and Wu 2006), interpreting Aura MLS variances requires a comprehensive understanding of the instrument's sensitivity to GWs of different wavelengths and propagation directions. Specifying this so-called MLS GW visibility function in turn requires knowledge of the 3D temperature WFs of the saturated limb radiance. As discussed in section 2, because Aura MLS scans within the orbital plane in the forward direction, the most critical part of the WF for GW detection is the 2D cross section in the along-track (along-scan) direction, also known as the orbital plane. Figure 2a schematically depicts a series of these 2D WF cross sections: as with UARS MLS, the width in the cross-scan direction is narrow and is determined mainly by the $\sim 0.23^\circ$ horizontal FOV of the antenna. In the orbital plane, MLS WFs appear as narrow, cigar-shaped volumes that are tilted $\sim 3^\circ$–8° from the local horizon at their saturation altitude. As with saturated UARS MLS radiances, this tilting is a net effect of the MLS viewing angle, antenna spreading at the saturation altitude, and the width and shape of the vertical temperature WF (Wu and Waters 1997; McLandress et al. 2000; Jiang et al. 2004a). The MLS sensitivity to GWs of short vertical wavelengths is determined primarily by the FOV’s vertical FWHM, which is 4.9 km, even though the long dimension of the cigar-shaped WF can stretch to over 10 km vertically (see Fig. 2a). More accurate radiative transfer calculations show that the cigar-shaped volume approximates the 2D WF cross section quite well, except near the bottom of the WFs where strong absorption breaks the symmetry about the LOS axis slightly and skews the WF shapes (Wu and Waters 1997).

We model the 2D MLS GW visibility functions in the along-scan ($y-z$) plane by convolving the 2D instrument WFs through an infinite plane temperature wave of 1-K amplitude and with given values of vertical ($\lambda_z$) and along-track ($\lambda_y$) wavelength. The signs of $\lambda_z$ and $\lambda_y$ are chosen such that the GW energy propagates upward and toward the instrument. Microwave absorption is approximated using a Lorentz line-shape approximation (e.g., Eckermann and Wu 2006) and peaks at a pressure height of $\sim 30$ km, roughly approximating saturated radiances from channel 6(20). The resulting 2D WFs are computed using realistic microwave radiative transfer, antenna spreading, and spherical geometry (Cofield and Stek 2006) on a 2D grid of 100-m vertical and 1000-m horizontal resolution. From the simulated (forward modeled) radiance perturbations, we compute the 40-pt radiance variances using the same method outlined in section 3a and repeat the simulation for the full range of possible $\lambda_y$ and $\lambda_z$ wavelength pairs.

The calculated 2D visibility function for MLS 40-pt variances is shown in Fig. 3a. The peak variance sensitivity occurs at $\lambda_y \approx 130$ km and $\lambda_z \approx 14$ km, where the variance calculated from the simulated radiances
Figure 3 MLS GW visibility function for the 40-pt variance calculation (a) as a function of along-track wavelength $\lambda_\parallel$ and vertical wavelength $\lambda_z$, and (b) as a function of $\lambda_z/\lambda_\parallel$ ratio and $\lambda_z$. Contour labels are radiance variances (K$^2$) for an input GW peak amplitude of 1 K (variance of 0.5 K$^2$). See text for further details.

(brightness temperatures) is 0.47 K$^2$, representing ~94% “visibility” to the input GW’s actual temperature variance of 0.5 K$^2$. This is a case where the GW propagates upward and toward MLS and its phase lines, tilted off the horizontal at an angle $\phi = \tan^{-1}(\lambda_z/\lambda_\parallel)$ ~6°, are nearly parallel to the instrument’s similarly tilted 2D WF in Fig. 2a, so there is essentially no smearing of wave phase along the LOS direction. When this same GW propagates away from the instrument (i.e., changes sign), the variance response becomes negligible (<6 x $10^{-3}$ K$^2$) because phases are no longer coaligned with the 2D WFs and appreciable LOS smearing occurs. This directional sensitivity is now studied further.

Figure 3a shows that Aura MLS sensitivity to along-track wavelengths tapers off at $\lambda_\parallel < \sim 100$ km and $\lambda_z > \sim 170$ km. The diminishing sensitivity at short $\lambda_\parallel$ is due to the along-track smearing by the antenna pattern, satellite motion, and radiative transfer, whereas at long $\lambda_\parallel$ it is due to the 40-pt truncation. The smearing effects of radiative transfer and MLS FOV also limit the sensitivity to waves of small $\lambda_z$ and $\lambda_z \approx 100$–200 km.

Figure 3b indicates that the Aura MLS has optimal sensitivity to GWs with $\lambda_z/\lambda_\parallel$ aspect ratios of ~0.1 that yield a tilt angle $\phi$ similar to those of the 2D WFs. From the hydrostatic nonrotating GW dispersion relation, this implies peak sensitivity to GWs with intrinsic frequencies $\omega = (\lambda_z/\lambda_\parallel)N \approx 0.1N$, where $N$ is the background Brunt–Väisälä (BV) frequency, or with intrinsic wave periods of $\sim 1$ h, given typical stratospheric BV periods of $\sim 5$ min. Thus, these 40-pt variances are most sensitive to medium-scale GWs of relatively high intrinsic frequency. The variances have poor sensitivity to low-frequency inertia GWs, which, from the dispersion relation, have $\lambda_z/\lambda_\parallel$ ratios of ~0.01–0.001. In other words, inertia GWs surviving MLS WF filtering will have long $\lambda_z$ values that will not survive the 40-pt horizontal truncation.

c. Sensitivity to horizontal propagation

The highly directional tilting of the UARS MLS 2D WFs yielded a complex 3D in-orbit sensitivity to GWs that is depicted schematically in Fig. 2 of Jiang et al. (2004a) and was modeled in detail by McLandress et al. (2000) and Jiang et al. (2004a) to aid comparisons between model results and observations. As depicted in Fig. 2a, the 2D tilted Aura MLS WFs also yield a directional sensitivity in response to GWs, although it is different from the UARS MLS in terms of viewing direction, channel specifics, and antenna widths.

The Aura satellite is in a 98.2°-inclination orbit, and the onboard MLS views the atmosphere directly ahead of the satellite (i.e., in the direction of the satellite velocity vector). This yields an MLS LOS (y) axis directed 8.2° from the meridional plane at latitudes near the equator (Fig. 2b). As we have noted in section 3b and Fig. 3, upward-propagating GWs with $\lambda_z > 10$ km and $\lambda_z/\lambda_\parallel \approx 0.1$ are well detected by MLS when they propagate toward the instrument, but yield little or no signal when propagating away from the instrument. As a result, at low latitudes the GW variances from the ascending and descending orbits—$\sigma_\parallel^2(n)$ and $\sigma_\perp^2(n)$, respectively—are sensitive mostly to GWs propagating southward $\sigma_\parallel^2(n)$ and northward $\sigma_\parallel^2(n)$, respectively, but with a small eastward/westward component $\sigma_\parallel^2(n)$ in both cases. Mathematically, we may express this as

$$\sigma_\parallel^2(n) = \sigma_\parallel^2(n) + \sigma_\perp^2(n),$$

$$\sigma_\perp^2(n) = \sigma_\parallel^2(n) + \sigma_\parallel^2(n).$$
where $n$ is channel number. In Eqs. (2a) and (2b) we assume that $\sigma_2^2(n)$ and $\sigma_{2D}^2(n)$ are sufficiently averaged as to be not biased by any transient large-amplitude GW event. Thus, $\sigma_{2}^2(n)$ and $\sigma_{2D}^2(n)$ reflect the same ensemble-mean GW variance with the same mean net eastward/westward propagation component $\sigma_E^2(n)$. With these assumptions, Eqs. (2a) and (2b) reveal that the ascending minus descending variance $\sigma_{2}^2(n) - \sigma_{2D}^2(n)$ can be used to estimate the variance asymmetry between southward- and northward-propagating GW components, $\sigma_{2S}^2(n) - \sigma_{2N}^2(n)$. Thus, a positive ascending minus descending $(A - D)$ variance suggests dominance of GWs with a southward component to their wave propagation, relative to those with a northward component.

At mid and high latitudes, the $\sigma_{2E}^2(n)$ component in Eqs. (2a) and (2b) will become larger as the MLS LOS deviates further from the meridional plane (to $\sim16.7^\circ$ at $\pm60^\circ$ latitude; see Fig. 2b). Nonetheless, as long as the mean GW ensemble sampled by the ascending and descending orbits is the same, the $(A - D)$ variance remains a good proxy for the asymmetry in variance between GWs with southward and northward components to their horizontal phase propagation. Note that any systematic mean diurnal variation in GW variance is neglected in this interpretation of the $A - D$ variance.

d. Sensitivity to short vertical wavelengths

High-resolution suborbital observations suggest that GW temperature variances in the stratosphere are dominated by GWs with vertical wavelengths between 2 and 10 km (e.g., Tsuda et al. 1991; Allen and Vincent 1995; Whiteway 1999). Therefore, it is important to determine precisely the MLS sensitivity to GWs at these short vertical wavelengths. The visibility simulations in Fig. 3a reveal that 1-K temperature perturbations induced by GWs of $\lambda_z = 5$ km and $\lambda_y = 50$–100 km can produce a radiance variance of $\sim0.02$ K$^2$. Although weak, such a variance is certainly measurable by Aura MLS because of the low instrument noise. As indicated in Table 1, the MLS radiometric noise in channel 1(25) allows a GW variance of $\pm2.3 \times 10^{-3}$ K$^2$ to be detected in a $5^\circ \times 10^\circ$ monthly map or in daily zonal averages with $5^\circ$ latitude bins. Moreover, a 0.02 K$^2$ GW variance can even show up in a 5-day $5^\circ \times 10^\circ$ map for channel 1(25), in which the estimated noise floor in Table 1 is $\sim5.6 \times 10^{-3}$ K$^2$. GW observations at 5-day temporal resolution or better are often needed to monitor transient GW events like those reported by Wu and Zhang (2004) and Eckermann et al. (2006b).

These noise and visibility estimates confirm that the Aura MLS sensitivity to GWs at short vertical wavelengths is greatly improved over the UARS MLS, due mainly to the narrower beamwidth (i.e., vertical FOV) of the new instrument. In particular, for waves with $\lambda_z = 5$ km, the Aura MLS vertical FOV of $0.113^\circ$ provides two orders of magnitude greater sensitivity than the UARS MLS.

4. Initial results from the Aura MLS

a. Zonal mean variances

Figures 4 and 5 show zonal mean ascending and descending GW variances and the $(A - D)$ variance differences from the Aura MLS for January and July 2005, respectively. Despite instrumental and viewing/sampling differences, the morphology of these Aura MLS GW variances is very similar to that of the corresponding UARS MLS variances at altitudes above 30 km for 1992–93 (Wu and Waters 1996). Increased zonal-mean GW variances in Figs. 4a and 5a correlate well with corresponding increases in the zonal-mean zonal wind speeds in the stratosphere, showing large variances at winter high latitudes within the summer and winter stratospheric jets. These correlations follow from the hydrostatic nonrotating GW dispersion relation, in which the vertical wavelength refracts in the presence of background winds and temperatures as

$$\lambda_z = \frac{2\pi|c - U \cos\varphi|}{N},$$

where $c$ is the ground-based horizontal phase speed, $U$ is the background wind speed, $N$ is the background BV frequency, and $\varphi$ is the difference between the wind vector and GW horizontal propagation directions. Extratropical stratospheric wind jet speeds $|U|$ are large and increase with height, causing some GWs to refract to critical levels ($\lambda_z \to 0$) where they are removed and others to refract via Eq. (3) to long vertical wavelengths and to propagate rapidly through the stratosphere. This can have two potential effects on the variance observed by MLS. First, the waves refracted to long $\lambda_z$ become much more visible to MLS, whereas those refracted toward critical levels soon become invisible (see Fig. 3). Second, a high background wind can allow more waves with low phase speeds $c$ to propagate through the stratosphere because they will not encounter stratospheric critical levels. For example, most orographic GWs are generated with low phase speeds $c$, and therefore more wave energy is likely to propagate upward in regions where background winds are strong. Both effects can enhance measured variances and must be carefully separated.

For example, UARS MLS GW variances exhibited strong correlations with background wind speeds be-
cause of the far greater overall visibility of the GW spectrum to MLS in regions with fast background winds (Alexander 1998). These strong effects had to be carefully accounted for to isolate additional signals in the variances from wave sources such as mountains and convection (e.g., McLandress et al. 2000; Jiang et al. 2004a). On the other hand, GW variances from satellite instruments with higher vertical resolution suffer less from this effect by resolving a wider range of vertical wavelengths (e.g., Tsuda et al. 2000; Preusse et al. 2006). Of particular interest here is to assess how the much improved vertical resolution of the Aura MLS impacts direct detection of geophysical GW variance signals compared to the UARS MLS.

In Figs. 4 and 5 the MLS GW variances show a general increase with height at all latitudes. One important exception is in the tropical and subtropical lower stratosphere, where variances are larger than those values immediately above and poleward. Equatorially confined enhancements in lower stratospheric GW temperature variance like these have been observed previously in high–vertical resolution satellite limb data (e.g., Fetzer and Gille 1994; Preusse et al. 2000; Tsuda et al. 2000, 2004; Ratnam et al. 2004) and suborbital profile data (Eckermann et al. 1995; Allen and Vincent 1995). This tropical enhancement is not present in UARS MLS variances (see, e.g., Fig. 12 of Wu and Waters 1997) because the instrument did not have a frequency bandwidth sufficient to observe altitudes below 28 km, where this feature appears most strongly. Work by Preusse et al. (2000) suggested that the coarse UARS MLS vertical WFs could not resolve this equatorial enhancement even if its channels extended to these lower altitudes. Thus, its occurrence in Aura MLS variances provides a clear demonstration of the much improved sensitivity of this new MLS instrument to short GW vertical wavelengths, as described in section 3d.
Nonetheless, we do not see a latitudinally symmetric equatorial variance enhancement in the lower stratosphere. The variances in January 2005 exhibit slight double peaks at ±20° latitudes where the background wind speeds have local maxima, whereas the relatively lower equatorial variance is associated with a weak eastward background wind and a deep convection peak (as indicated by MLS cloud ice observations; Wu et al. 2006b), which are plotted as the dashed curves in Figs. 4 and 5. In July 2005, the subtropical enhancement at 21–25 km is confined to northern latitudes, which correlates well with enhanced wind speeds and deep convection at these latitudes, a feature previously reported in UARS MLS variances by Jiang et al. (2004b).

Two main theories for the equatorial enhancement in lower stratospheric GW variance have been proposed. Eckermann (1995) interpreted the observed feature in rocket data as equatorial trapping of short-$\lambda_z$ Kelvin modes. Alexander et al. (2002) attributed it to enhanced variances in short-$\lambda_z$ low-frequency GWs that are supported at tropical latitudes by the decrease in inertial frequency that expands the range of allowed GW propagating frequencies. Interestingly, both theories interpret the enhanced variance as resulting from more waves with long horizontal wavelengths and low intrinsic frequencies near the equator, to which these 40-pt MLS variances are largely insensitive (see section 3b). The fact that an equatorial peak arises in these shorter-scale higher-frequency MLS GW variances too suggests that this feature observed by MLS may reflect a more general tropical enhancement in lower-stratospheric GW variances at all wavelength scales, possibly due to enhanced GW generation correlated with tropical tropospheric cloud ice (dotted curves in Figs. 4 and 5) and associated deep convection.

To infer meridional wave propagation anisotropies, zonal-mean A – D variances are plotted in Figs. 4c and 5c for January and July 2005, respectively. Assuming upward GW group propagation, the white lines superimposed on the statistically significant positive and negative A – D values (see Table 1) depict the GW phase structures that are implied. In January 2005 (Fig. 4c), GWs near 40°–60°N show a preference for a northward component of propagation $[\sigma_D(n) - \sigma_D(n) < 0]$.
into the core of the strong upper stratospheric polar jet. This result is consistent with the conclusion inferred from \textit{UARS} MLS limb-tracking GW variances in northern high-latitude winter by Jiang and Wu (2001), who found a strong cross-jet-propagating GW component near the vortex edge. However, because of aliasing associated with \textit{UARS} MLS sampling, their study could not identify absolute GW propagation directions. The \textit{Aura} MLS $\sigma^2_A(n) - \sigma^2_D(n)$ maps confirm the presence of cross-jet-propagating GWs near the vortex edge and suggest that waves here propagate preferentially northward on average. At $10^\circ$S–$40^\circ$S and $10^\circ$–$20^\circ$N equatorward propagation components are preferred, whereas at latitudes south of $60^\circ$S, although the GW variances are weak, there is an overall tendency toward net southward propagation.

Similar poleward propagation tendencies at high latitudes are revealed in July 2005 (Fig. 5c). However, in the northern subtropics the inferred meridional propagation anisotropies are somewhat different from those in the southern subtropics for the opposite season (January 2005). Below $40$ km, southward propagation components are preferred, but above $40$ km we infer dominant southward propagation at $60^\circ$–$40^\circ$S and $30^\circ$–$40^\circ$N and net northward propagation components at $10^\circ$–$20^\circ$N and $50^\circ$–$70^\circ$N.

Although the \textit{UARS} and \textit{Aura} MLS observe similar zonal mean climatologies of GW variance, the \textit{Aura} MLS variances are 5–8 times larger than the \textit{UARS} MLS values in the middle stratosphere, partly because of the greater sensitivity of the \textit{Aura} MLS to GWs with 2–10-km vertical wavelengths, which dominate GW-induced stratospheric temperature variability. \textit{UARS} MLS variances are also found to be weaker (by a factor of $\sim 10$) than AMSU-A variances at similar altitudes (Wu 2004) because of different horizontal truncations used in the variance computations.

\textbf{b. Monthly maps}

Figures 6 and 7 plot monthly-mean global maps of $\sigma^2_A(n)$, $\sigma^2_D(n)$, and $\sigma^2_A(n) - \sigma^2_D(n)$ for different channels $n$ that saturate at altitudes ranging from the lower to the upper stratosphere. Like the zonal means in Figs. 4a and 4b, the $\sigma^2_A(n)$ and $\sigma^2_D(n)$ maps in January 2005 (Fig. 6) show significant enhancements at latitudes of the winter polar and the summer subtropical stratospheric jets. As discussed in section 4a, these latitudinal enhancements can be explained by the effects of wave refraction by the background wind, in which GWs attaining long vertical wavelengths in these high-wind regions become more visible to the MLS. However, Fig. 6 shows that these enhancements are zonally asymmetric, which (as with similar features in \textit{UARS} MLS maps) reveals the significant modulation of wave visibility by zonal asymmetries in stratospheric wind speeds as well as underlying wave sources (McLandress et al. 2000).

Along the vortex edge, for instance, localized variance enhancements are closely tied to significant underlying topography in Alaska, Canada, southern Greenland, Scandinavia, and the Alps, suggesting these are due to large-amplitude orographic gravity waves. Detailed data analysis and global modeling by Jiang et al. (2004a) identified these and other Northern Hemisphere (NH) mountain ranges as sources of enhanced \textit{UARS} MLS stratospheric radiance variance.

Although the zonal-mean $\sigma^2_A(n) - \sigma^2_D(n)$ in Fig. 4c suggested mean poleward propagation at $40^\circ$–$60^\circ$N, the corresponding map in Fig. 6 reveals substantial zonal variability. GWs over Alaska, the east coast of the United States, southern Scandinavia, and the Alps have preferred northward propagation components [$\sigma^2_A(n) - \sigma^2_D(n) < 0$], whereas variance peaks over the Rockies and southern Greenland are dominated by waves with southward components to their propagation [$\sigma^2_A(n) - \sigma^2_D(n) > 0$].

In the subtropics, the $\sigma^2_A(n)$ and $\sigma^2_D(n)$ enhancements correlate well with the MLS cloud ice distribution (white contours in Fig. 6), suggesting deep tropospheric convection over major landmasses and the Maritime Continent as the primary source of these regional variance increases. Similar features and correlations to tropical convection were noted in \textit{UARS} MLS variances by McLandress et al. (2000) and Jiang et al. (2004b, 2005). As observed with the \textit{UARS} MLS (Jiang et al. 2004b), the locations of upper stratospheric variance enhancements from convectively generated GWs are shifted slightly southeastward from the convective centers as waves propagate upward from the forcing region. The filtering and refraction of GWs by the subtropical stratospheric jet can explain most of this shifted distribution because the jet core tilts away from the equator with altitude. However, it remains puzzling that the $A - D$ maps in Fig. 6 suggest that these waves have preferred northward propagation components [$\sigma^2_A(n) - \sigma^2_D(n) < 0$] rather than southward ones in these regions.

Like the zonal means in Fig. 5a, global maps for July 2005 in Fig. 7 again show variances in the upper stratosphere that are enhanced at latitudes at which background wind speeds are large, specifically along the winter polar stratospheric jet and over subtropical monsoons. The vortex enhancements show a nonuniform distribution in longitude with the highest variances near the southern tip of South America and the Antarctic Peninsula, a feature associated with large-amplitude orographic GWs that have been observed in these re-
FIG. 6. MLS GW variance maps for January 2005, showing (left) ascending, (middle) descending, and (right) A − D differences for selected channels. The white contours are 5 mg m$^{-3}$ of MLS IWC as an indicator of deep convective forcing. Both ascending and descending maps share the same color scale, whereas the A − D maps use the scale to the right.
FIG. 7. As in Fig. 6, but for July 2005.
regions by a number of other satellite instruments (Eckermann and Preusse 1999; McLandress et al. 2000; Tsuda et al. 2000; Preusse et al. 2002; Jiang and Wu 2001; Jiang et al. 2002; Alexander and Teitelbaum 2007). Enhanced variance due to orographic GWs is also observed over New Zealand at altitudes >30 km, as was seen in UARS MLS radiance variances (Jiang et al. 2005). Broader vortex enhancements are also seen in regions well away from significant mountains, which may result in part from GWs radiated from imbalances within baroclinic jet/front systems at these latitudes (e.g., Guest et al. 2000; see section 5). The corresponding $A - D$ variance maps in Fig. 7 suggest a net poleward propagation tendency [$\sigma_{A}^2(n) - \sigma_{D}^2(n) > 0$] in the upper stratosphere for this southern high-latitude band, consistent with the zonal means in Fig. 5c.

The pockets of enhanced variances in the northern subtropics seem to be mostly associated with American and Indian monsoon systems and again correlate well with similar enhancements in MLS cloud ice (white contours in Fig. 7). There is little latitudinal shift between the variance peak and deep convection in the Indian monsoon. However, the latitudinal shift over the American monsoon is significant, showing the variance peak displaced to the northeast from the deep convection center, and the displacement increases with height. However, the $A - D$ difference maps in Fig. 7 suggest that these GWs over the southeastern United States preferentially propagate to the south, rather than northward from convection centers. High-resolution radiosonde data also show a lower stratospheric GW variance enhancement over the southeastern United States (Wang and Geller 2003), with a preference for northward-eastward propagation in June–August (Wang 2003). However, Wang et al. (2005) also inferred long horizontal wavelengths (≥500 km) and low intrinsic frequencies for these GWs. The GWs resolved in the MLS variances have much shorter horizontal wavelengths and higher intrinsic frequencies and so may have fundamentally different sources and propagation characteristics. Thus, the MLS GW activity in this region merits further investigation. For example, a similar feature is also seen in the Pacific just east of Japan in Fig. 7. Climatologically, both regions experience typhoon/hurricane passages, which may generate some of this net southward-propagating stratospheric GW variance observed by the MLS (e.g., Sato 1993; Kim et al. 2005).

The bottom panels of Fig. 6 show that the ascending variance at 21.7-km altitude in January 2005 has lower values in the equatorial band relative to the descending variance and peaks in two subtropical bands (see also Fig. 4a), similar to tropical GW activity seen in GPS/Challenging Minisatellite Payload (CHAMP) data during May 2001–January 2003 (Ratnam et al. 2004). The resulting subtropical $A - D$ variances at 21.7 km in Fig. 6 are positive in the north and negative in the south (see also Fig. 4c), suggesting that the net meridional component of propagation of subtropical GWs observable by MLS in the lower stratosphere in January 2005 is equatorward in both hemispheres. However, the situation is quite different in January 2006 when the descending variances at 21.7 km exceed the ascending variances almost everywhere in the tropics (see also Fig. 8), implying widespread northward propagation components, and thus possible GW–quasi-biennial oscillation (QBO) interactions here (e.g., Eckermann et al. 1995; Vincent and Alexander 2000; Wang and Geller 2003). We investigate this further in section 4c. Over Indonesia and northern Australia, where GWs are presumably generated by active convective systems in the region (Tsuda et al. 2004), the $A - D$ variances at 21.7 km in Fig. 6 suggest preferred northward propagation. Using a 3D mesoscale cloud-resolving model with realistic heating and background meteorological inputs, Alexander et al. (2004) found that convectively generated GWs near Darwin, Australia were dominated by northward-propagation GWs for December 2001. Their finding is consistent with the MLS climatology in November (see Fig. 8), which also exhibits negative $A - D$ variances at 21.7 km in the Darwin region. However, over the Australian continent waves are dominated by southward propagation.

In July 2005, the subtropical $A - D$ variances at 21.7-km altitude (Fig. 7) also show preferences for equatorward propagation components. The equatorial variance peaks at 21.7 km are displaced northward (see also Fig. 5a) because seasonal convective sources are mostly located on the summer side of the tropics. At higher altitudes, these subtropical peaks move further to the north, consistent with similar northward displacement with the height of the core of the subtropical jet. The July 2006 variance maps in Fig. 8 exhibit a similar morphology.

c. Seasonal variations

Figure 8 plots monthly-mean variances at 21.7 km for each month of 2006. Because of QBO modulation, the tropical variances are larger in early 2006 when the QBO is in the easterly (westward) phase. In January 2006, GW variance maximizes near the equator with slight longitudinal variations, with secondary high-latitude peaks occurring over Greenland and Europe. As the QBO changes to the westerly phase, the tropical variance starts to split into two latitudinal bands after June 2006. By August–October the equatorial variances have weakened substantially and variance maps...
Fig. 8. Monthly maps of the ascending, descending, and $A-D$ variances at $\sim21.7$-km pressure altitude for 2006. The color scales, ranges, and contours have their same values and meaning as in the 21.7-km altitude panels in Figs. 6–7.
are dominated by enhancements over southern South America, Antarctica, and the Southern Ocean.

Figure 9 shows a time series of monthly zonal mean $\sigma_n^2$ and $\sigma_d^2$ and their difference as a function of latitude at selected altitudes. The major annual and vertical variations are controlled by seasonally varying background winds, which filter some GWs and refract others via Eq. (3) to long (short) vertical wavelengths that are more (less) visible to the instrument (Alexander 1998). Although MLS GW variances are dominated by these annual variations, there is also a clear correlation between the QBO and MLS GW variances in the tropical lower stratosphere, most noticeably in Fig. 9 at 27.3-km altitude (~20 hPa), where the amplitude of the zonal wind QBO peaks (Baldwin et al. 2001). At 21.7-km altitude, the tropical GW variance in Fig. 9 exhibits a latitudinal distribution with double peaks in 2004–05 during a westerly QBO phase but a broad equatorially centered peak in 2005–06 during an easterly QBO phase. The $A-D$ variances at 15°S–15°N show net equatorward propagation during the westerly to easterly (W→E) QBO transition and net poleward propagation during the E→W transition. It is worth noting that AMSU-A, using the method described by Wu (2004), cannot observe this tropical GW activity although it has a WF similar to the Aura MLS at these altitudes. The viewing geometry, FOV width, and instrument sensitivity of Aura MLS must play a critical role in the detection of such waves.

It is not yet clear what causes the double-peak structure in the 2004–05 GW distribution. However, the QBO wind filtering and different GW modes may explain the observed features. Because MLS GW variances (from waves of long vertical and short horizontal wavelengths) are particularly sensitive to the background winds, the QBO in the zonal wind could regu-
late the observed variance substantially if the variance is dominated by waves propagating in a zonal direction (i.e., eastward or westward). Thus, the observed double-peak distribution and associated $A-D$ variation suggest that the observed waves are mostly eastward-propagating, which would suffer from the filtering by the westerly QBO shear and result in the split latitudinal distribution. This inference from MLS is consistent with radiosonde observations during the easterly QBO, showing predominant eastward-propagating inertia GWs in the subtropics (e.g., Wada et al. 1999) and weak wave activity in the tropics (Sato and Dunkerton 1997). On the other hand, waves may be excited with different modes in the upper stratosphere, but little study has been done on what kinds of wave modes, especially in mesoscale, are generated during different QBO phases. Nevertheless, the cause–effect relation between the QBO and the GWs observed by MLS remains unclear and warrants further investigations with dedicated GW modeling studies.

The equatorial GW variances at 21.7, 24.3, and 27.1 km in Fig. 9 all peak when the easterly phase of the QBO reaches its maximum. Rocketsonde, radiosonde, and satellite limb temperatures also find equatorial GW variances peaking during periods of strong QBO easterlies and indicate that wave variances are suppressed immediately above in descending westerly QBO shear zones (Eckermann et al. 1995; Sato and Dunkerton 1997; Vincent and Alexander 2000; Randel and Wu 2005; Wu 2006; de la Torre et al. 2006; Krebsbach and Preusse 2007).

Figure 9 also reveals variance enhancements at 21–25 km altitude at 70°–80°S that occur around October–November of each year. These enhancements are particularly interesting because they do not correlate with corresponding increases in the zonal-mean zonal winds, like GW enhancements at other latitudes, heights, and times. Inspection of raw maps at these times (in addition to Fig. 8) reveals variance enhancements at pressure altitudes below 30 km over a broad area of the Antarctic continent as the vortex shifts off the pole during the vortex breakup season. Large increases in GW temperature variance at ~20-km altitude over Antarctica during late spring have previously been reported using radiosonde data (Pfenninger et al. 1999; Yoshiki and Sato 2000; Yoshiki et al. 2004) and GPS/CHAMP occultation data (Baumgaertner and McDonald 2007). Above 20–25 km, the peak GW variances in these studies tend to occur in midwinter (Yoshiki and Sato 2000; Baumgaertner and McDonald 2007), also in agreement with the MLS GW variances in Fig. 9.

In the middle and upper stratosphere the latitude–season trends of GW variances (e.g., at 44.1 km in Fig. 9) are very similar to those seen in UARS MLS variances (Wu and Waters 1997), showing a dominant annual variation at latitudes poleward of 30°. In the tropics, the QBO modulation seen lower down weakens and gives way to weaker modulation by the tropical stratospheric semiannual oscillation (SAO) in the upper stratosphere, in agreement with equatorial GW temperature variances from suborbital data (e.g., Eckermann et al. 1995). The extratropical wave variances are generally larger in the Southern Hemisphere (SH) than those in the NH for both ascending and descending measurements, which may be a visibility effect due to generally stronger stratospheric wind jets in the SH.

Figure 9 shows considerable differences in high-latitude variance between different northern winters, consistent with the well-known interannual variability of the entire Arctic winter stratosphere. Qualitatively similar interannual variability in high-latitude UARS MLS GW variance was studied by Jiang et al. (2006). Because disturbed (undisturbed) polar vortex conditions manifest as weakened (strengthened) background wind speeds, which in turn control the visibility of GWs to MLS (Alexander 1998), much of the interannual variation in Fig. 9 may be a visibility effect controlled by interannual variations in the strength of vortex winds. For example, the northern winter stratosphere in February 2006 experienced a major warming that led to extremely weak stratospheric zonal-mean zonal wind speeds compared to more typical conditions in February 2005, which may explain (via GW visibility arguments) the smaller northern polar winter MLS variances in 2005 compared to 2006 in Fig. 9. However, analysis of SABER temperature data and global modeling by Siskind et al. (2007) suggests that the weakened 2006 vortex filtered out most orographic gravity waves, yielding a much-reduced upper-level orographic gravity wave drag relative to 2005, which then led to an anomalously strong lower-mesospheric vortex in 2006. Reductions in stratospheric GW temperature variances during stratospheric warmings have also been reported in ground-based studies (e.g., Whiteway and Carswell 1994). Thus, the relative roles of wind filtering and real changes in stratospheric GW activity in forming the interannual GW variances in Fig. 9 during northern polar winter merit further investigation and will be a focus of future research.

5. Comparisons with ECMWF analyses

To help assess some of our inferences about the sensitivity of the Aura MLS to different GW wavelengths, sources, and propagation directions, we utilize as pre-
liminary modeling support some high-resolution global analysis fields issued operationally by ECMWF IFS. We use global fields at the native Tl799L91 model resolution, corresponding to ~25-km horizontal grid-point resolution on the reduced linear Gaussian grid. The 91 vertical model layers have a resolution of ~0.4 km in the lower stratosphere, increasing to ~1 km near ~30-km altitude and ~2 km at ~45-km altitude.

To first order, these nominal horizontal and vertical gridpoint resolutions act like the 3D WFs for the Aura MLS in determining which GWs the ECMWF IFS fields can and cannot explicitly simulate (the precise sensitivities to GWs are much more complex, depending on other model specifics, such as the amount of spectral hyperdiffusion applied to model divergence fields in the stratosphere). Thus, like the MLS, the ECMWF IFS will tend to resolve GWs better in strong wind environments in which vertical wavelengths become long. Indeed, earlier lower-resolution versions of ECMWF IFS forecast/analysis fields have revealed explicitly resolved gravity waves in the stratosphere within strong winds located near the polar vortex edge associated with orography (e.g., Hertzog et al. 2002; Eckermann et al. 2006a,b; Alexander and Teitelbaum 2007) and jet stream instabilities (Hertzog et al. 2001; Plougonven and Teitelbaum 2003). Thus, these higher-resolution IFS fields should resolve even more stratospheric GW activity.

We begin by studying the analyzed ECMWF IFS temperature fields at one particular day and time (0000 UTC 21 August 2006). We remove wave components with horizontal scales longer than ~300 km to roughly mimic maximum resolved scales in the 40-pt MLS variances. No vertical filtering is applied in this initial analysis, which may produce larger GW variances than in the MLS variances by retaining GWs with vertical wavelengths that MLS either cannot resolve or resolves with significantly reduced amplitude because of WF smearing. However, because the IFS vertical resolution is ~2 km at 45-km altitude, the model fields here cannot resolve GWs with vertical wavelengths shorter than ~4–6 km. Thus, the IFS fields at 45 km have an intrinsic short-λc cutoff that is similar to the MLS 40-pt variances (see Fig. 3a).

Figure 10 shows a global map of the instantaneous IFS temperature perturbation oscillations at ~44-km pressure altitude (assuming a constant scale height of 6.95 km); Fig. 11 plots latitude–height cross sections of these oscillations at selected longitudes marked with dotted lines in Fig. 10. As with the Aura MLS variances in Figs. 5 and 7, the perturbation amplitudes in Fig. 10 peak near the edge of the southern polar vortex and the
northern subtropics, where background winds are strongest and GW vertical wavelengths are longest and thus easiest for the IFS to resolve. Near the southern vortex edge, enhanced-amplitude perturbations due to mountain waves are evident over southern South America, the Antarctic Peninsula, and New Zealand, but significant enhancements also occur over broader regions of the Southern Ocean well away from any mountains. The cross sections in Fig. 11 show some of this GW activity emanating from tropopause altitudes, presumably radiated from tropospheric jet stream instabilities associated with baroclinic storm systems that regularly form and propagate across the Southern Ocean (O’Sullivan and Dunkerton 1995; Guest et al. 2000). The cross sections in Fig. 11 show that the explicitly simulated GWs at 40°–80°S from both the jet and mountain sources exhibit wave phases that tilt upward toward the South Pole, consistent with the predominant southward GW group propagation directions inferred from MLS A – D variance difference maps in Figs. 5 and 7.

Enhanced ECMWF IFS temperature perturbation amplitudes in the northern subtropical upper stratosphere in Fig. 10 exhibit a shorter-scale, more disorganized structure with less horizontal coherence, superficially consistent with episodic localized generation from deep tropospheric convection. For example, the cross section at 236°E in Fig. 11 shows weaker-amplitude GWs radiated into the stratosphere at 10°–20°S, a region over open ocean off the west coast of Mexico where enhanced GW activity is seen in Fig. 10. Because tropical cyclones are known to be sources of stratospheric GWs (e.g., Sato 1993; Chane-Ming et al. 2002; Kim et al. 2005), these GWs were presumably generated in the IFS by Hurricane Hector, whose eye was near (18.3°N, 229°E) at this time and thus directly beneath the GW activity in Fig. 10.

Figure 12b plots a map of the monthly-mean analyzed ECMWF IFS temperature variance at 44-km pressure altitude in August 2006; Fig. 12a shows the corresponding 40-pt Aura MLS ascending radiance variance at ~44 km. There is general agreement between the two maps in terms of both geographical variability and variance level. As with the MLS, the wave

![Image](https://example.com/image.png)
variances from the T_799L91 analyses are enhanced in two distinct latitude bands in which strong background winds increase the probability of MLS-resolvable GW vertical wavelengths in the stratosphere. The longitudinal modulation of the GW variances in these latitude bands suggests a nonuniform distribution of GW sources. For example, in the high-latitude southern band, mountain waves from the southern Andes are the most prominent feature in Fig. 12b, as they are in the GW variances from Aura MLS (Fig. 12a) and those derived from other satellite instruments. The orographic GWs from the southern Andes propagate with large amplitudes thousands of kilometers downstream, as was observed from satellite and modeled by Preusse et al. (2002).

A band of enhanced IFS variance also occurs in the northern subtropics in Fig. 12b, with variance peaks occurring over southern United States/Mexico and Southeast Asia, features also seen in the Aura MLS GW variances in Fig. 12a (see also Fig. 7). The subtropical GW variance band from ECMWF IFS is slightly narrower latitudinally and displaced equatorward of the Aura MLS band. These differences may be related to slightly different GW vertical and horizontal wavelength sensitivities in each dataset or to the IFS's convectively generated tropical GW spectrum, whose properties in global models prove highly sensitive to the way in which deep cumulus convection is parameterized (e.g., Horinouchi et al. 2003).

The overall similarities in Fig. 12 highlight the global GW-resolving capabilities of both high-resolution satellite remote sensors like the Aura MLS and high-resolution global models like the T_799L91 ECMWF IFS. Such comparisons illustrate the potential benefits of these Aura MLS GW data for validating the stratospheric GWs explicitly simulated and parameterized in global models.

### 6. Summary and future work

In this investigation, we have characterized the sensitivity of Aura MLS saturated 118-GHz radiances to stratospheric GWs of different wavelengths and have used these insights to interpret the GW-induced radiance perturbations that are located at the bottom of each normal limb scan. We have shown that small-scale perturbations in these saturated radiances are produced by horizontally varying GW-induced temperature oscillations within a broad vertical atmospheric layer whose mean pressure altitude varies from ~21.7 km for channels 1 and 25 to ~51 km for channels 12 and 14. Vertical and along-track smearing by the MLS weighting functions (WFs) limit the instrument's sensitivity to GWs. Forward modeling shows that the MLS has greatest sensitivity to high-frequency GWs with short horizontal and long vertical wavelengths that propagate toward the instrument. This leads to anisotropy between GW variances measured on ascending and descending orbits, from which one can infer preferred northward or southward GW propagation components. The much narrower vertical field of view (FOV) and smaller channel noise of Aura MLS yield much improved sensitivity to GWs of all scales compared to the UARS MLS, particularly to GWs of shorter vertical wavelength. The Aura MLS also provides variance data in the altitude region 21–28 km that was not covered by the UARS MLS thermal radiance channels. By extending the analysis to MLS 118-GHz channels located farther from and closer to the O_2 line center, it will be possible in future studies to observe GW variances at pressure al-
temperature oscillations in the TL799L91 ECMWF IFS

We used these capabilities to study GWs by first forming variances using the 40 saturated radiances located at the bottom of each limb scan, which yielded global data at twelve independent altitudes between 21 and 51 km. Aura MLS data acquired between late 2004 and mid-2007 were processed in this way and analyzed as a function of time, altitude, and geographical location. The main findings were as follows:

1) The MLS variances at 21–28-km altitude are enhanced at the tropics. The similar distribution in GW activity has been observed by high–vertical resolution satellite limb sounders and ground-based profilers, but in the MLS case the variances are contributed mostly from waves with long (>5 km) vertical and short (<300 km) horizontal wavelengths.

2) These tropical GW variances show significant variations with QBO phase that agree with long-term tropical GW variances measured by sondes. The enhanced tropical MLS GW variance at 21.7 km is split into twin-peaked subtropical bands during the westerly (eastward) QBO wind phase and then reverts to a single strong equatorial peak during the easterly (westward) QBO phase.

3) Antarctic GW variances at 21–25-km altitude peak during October–November, whereas at higher altitudes they peak in midwinter. These findings agree with radiosonde and GPS data from this region.

4) The variances in the upper stratosphere are similar in morphology to those from the UARS MLS, with seasonal and latitudinal enhancements correlating strongly with related increases in background wind speeds that refract GWs to the long vertical wavelength scales needed for MLS to resolve them (e.g., Alexander 1998).

5) Longitudinal asymmetries reveal sources, such as strong orographic GW activity over the Antarctic Peninsula, New Zealand, Alaska, Scandinavia, Greenland, and the Andes, Alps, and Appalachian and Rocky Mountains during winter. Localized regions of enhanced tropical and subtropical variance correlate well with enhanced convection (diagnosed using the MLS cloud ice product) over the Maritime Continent, South America, southern Asia, and the southeastern United States. Preferred meridional components of propagation for GWs in all these regions were inferred from the differences in variance measured on ascending and descending orbits.

We briefly compared the GW variances observed by the MLS in August 2006 to the explicitly resolved GW temperature oscillations in the $T_l$799L91 ECMWF IFS analyses at a pressure altitude of ~44 km. The monthly-mean variance maps showed many similarities, including latitudinal bands of enhanced variance in regions of high background wind speed and over regions of enhanced orographic and convective GW forcing. These comparisons highlight the potentially valuable role that Aura MLS GW observations can play in validating both the explicitly simulated GWs in very high-resolution models and those parameterized in low-resolution climate–chemistry models. More detailed model–observation comparisons require forward modeling of 3D model temperature fields using the Aura MLS 3D WFs and in-orbit sampling patterns (e.g., Jiang et al. 2004a; Eckermann and Wu 2006; Eckermann et al. 2006b), which we will explore in future work.

Future studies will also analyze GW perturbations in other MLS radiance channels that have better vertical resolution in the lower stratosphere. For example, MLS 240- and 640-GHz radiances have vertical FOVs of 3.2 and 1.4 km, respectively, at the tangent point, but the measurement noise at these frequencies is, respectively, 1.3 and 3.5 times larger than the 118-GHz measurements. Despite these larger noise variances, the improved sensitivity to the 2–4-km vertical wavelength GWs that dominate lower stratospheric GW variance (Allen and Vincent 1995) may well yield significantly higher signal-to-noise ratios (SNRs) for GW variances at these altitudes. In addition, we can increase the SNR by employing a longer horizontal truncation length for the GW variance calculation (e.g., Jiang et al. 2002). This is potentially attractive for resolving the low-frequency GWs with long horizontal but short vertical wavelengths that dominate equatorial variances (Sato and Dunkerton 1997; Vincent and Alexander 2000; Alexander et al. 2002; Ern et al. 2004; Wang et al. 2005). A long truncation length can be obtained by analyzing MLS radiances from adjacent limb scans that are separated by ~165 km. By binning 3–4 adjacent scans of MLS radiances, we will be able to increase the cutoff horizontal wavelengths to 500–600 km. For all the GW studies extended to long horizontal wavelengths, however, we need to be careful not to alias in planetary waves (e.g., Kelvin or mixed Rossby–gravity waves). The inability to distinguish GWs from planetary waves, which often have vertical wavelengths as short as 3–4 km, has been an issue with GW observations from radiosondes, rocketsondes, and other satellite limb techniques (e.g., Eckermann 1995).

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