Evaluating Outer Tropical Cyclone Size in Reanalysis Datasets Using QuikSCAT Data

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ABSTRACT

The present study examines the fidelity of outer tropical cyclone (TC) size and wind field structure in four atmospheric reanalysis datasets to evaluate whether reanalyses can be used to derive a long-term TC size dataset. Specifically, the precision and accuracy of reanalysis TC size for the North Atlantic (NA) and western North Pacific (WNP) basins are analyzed through comparison with a recently developed QuikSCAT TC size dataset (2000–09). Both outer TC size and structure in reanalyses closely match QuikSCAT data as revealed by strong correlations, similar standard deviations, and generally small biases. Of the TC size metrics examined, the radii of 6–8 m s$^{-1}$ winds in the NA and radii of 6–10 m s$^{-1}$ winds in the WNP are generally most comparable to QuikSCAT data. Compared to WNP TCs, NA TC size and structure are represented with greater fidelity. Among the four reanalyses examined, the National Centers for Environmental Prediction Climate Forecast System Reanalysis and the Japan Meteorological Agency Japanese 55-year Reanalysis represent TC size and structure with the greatest fidelity for both basins. Differences between reanalysis and QuikSCAT TC size increase with increasing QuikSCAT TC size in both basins and with decreasing TC latitude in the WNP. Finally, comparison of the distribution of reanalysis TC size during the satellite era with the distribution of QuikSCAT TC size suggests that reanalysis TC size is represented with reasonable fidelity throughout the satellite era and, thus, may be useful for constructing a multidecadal TC size dataset.

1. Introduction

Tropical cyclone (TC) size has been a topic of great interest given its association with TC intensity change (Carrasco et al. 2014), the physics and structure of the TC wind field (e.g., Chan and Chan 2013, 2014; Chavas and Emanuel 2014; Chavas et al. 2015; Chan and Chan 2015b; Chavas and Lin 2016), and TC wind and storm surge damage (e.g., Iman et al. 2005; Irish et al. 2008; Irish and Resio 2010; Lin et al. 2014; Zhai and Jiang 2014). Although prior studies have typically focused on the size of the inner TC circulation (i.e., radius of maximum winds), the outer TC circulation may be simpler to study given that it is more stable in time and it varies nearly independently from TC intensity (e.g., Merrill 1984; Chavas and Emanuel 2010; Lee et al. 2010; Chan and Chan 2012; Chavas et al. 2015; Chavas and Lin 2016). The outer region of the TC is defined as the broad circulation of the TC beyond the strongly convecting inner region that is nearly rain free and, thus, is approximately in radiative–subsidence balance (e.g., Emanuel 2004; Chavas et al. 2015).
The size of the TC outer region has been typically defined using various radii of azimuthal-mean near-surface wind and pressure fields (e.g., Brand 1972; Merrill 1984; Liu and Chan 1999; Chavas and Emanuel 2010), with outer TC structure similarly represented using the radial structure of these azimuthal-mean fields (e.g., Emanuel 2004; Chavas and Emanuel 2014; Chavas et al. 2015; Chavas and Lin 2016). Specifically, the most commonly used outer TC size metrics include the radius of the outermost closed isobar (ROCI; e.g., Brand 1972; Merrill 1984; Kimball and Mulekar 2004) and the radius in which the azimuthal-mean lower-tropospheric azimuthal wind equals 5, 12, and 15 m s\(^{-1}\) (e.g., Frank and Gray 1980; Chavas and Emanuel 2010; Knaff et al. 2014). Quantifying outer TC size may be particularly useful given that the structure and modes of variability of the complete azimuthal-mean near-surface TC wind field can be represented using a simple physical TC wind field model that only requires outer TC size and either TC intensity or the radius of maximum winds (Chavas et al. 2015; Chavas and Lin 2016). However, outer TC size has not been as extensively studied as TC intensity largely owing to 1) the absence of a long-term, objective, and observation-based outer TC size dataset until recently (e.g., Liu and Chan 1999; Chavas and Emanuel 2010; Knaff et al. 2014; Chan and Chan 2015a; Chavas et al. 2016) and 2) the difficulties in defining a physically meaningful outer TC size metric that can be uniformly derived across observational datasets (e.g., Brand 1972; Frank and Gray 1980; Liu and Chan 1999; Chavas and Emanuel 2010). With these facts in mind, the present study attempts to evaluate whether the current generation of atmospheric reanalysis datasets can provide a multidecadal, objective, and homogeneous outer TC size dataset derived from the outer TC wind field.

The earliest TC size studies utilized ROCI obtained from subjectively derived surface analyses (e.g., Brand 1972; Merrill 1984). However, the estimation of ROCI in these studies may have been negatively impacted by the sparsity of the input data in the surface analysis. Later work utilized either rawinsonde or in situ aircraft reconnaissance data to study the radius of 15 m s\(^{-1}\) azimuthal-mean lower-tropospheric winds (e.g., Frank and Gray 1980; Weatherford and Gray 1988a,b), but these studies may have been adversely impacted by the heterogeneous sampling of TC winds in space and time. The introduction of scatterometer data allowed for subsequent research to examine various 10-m wind radii and vorticity thresholds as TC size metrics (e.g., Liu and Chan 1999; Chavas and Emanuel 2010; Chan and Chan 2015a; Chavas and Lin 2016). Prior work has also used scatterometer data together with multiple in situ and remotely sensed data sources to compile TC size data for ROCI and several 10-m wind radii (e.g., Demuth et al. 2006; Landsea and Franklin 2013). These studies, however, may also have been negatively influenced by the heterogeneous sampling of the TC wind field. More recently, atmospheric reanalysis data has been used to compute TC size using the radius of the azimuthal-mean environmental pressure (Knaff and Zehr 2007). Finally, Knaff et al. (2014) constructed estimates of the radius in which the azimuthal-mean 850-hPa azimuthal wind equals 5 m s\(^{-1}\) using infrared TC satellite data and reanalysis data to estimate TC size. However, both Knaff and Zehr (2007) and Knaff et al. (2014) may contain uncertainty due to the use of a climatological vortex decay rate to estimate TC size. Additionally, TC size estimates from Knaff et al. (2014) may also include uncertainty due to the use of a simple multiple linear regression equation when training infrared satellite imagery with reanalysis data to estimate TC size. Intercomparison of results from these studies is not straightforward given the heterogeneity of the various datasets used to calculate TC size and the use of differing TC size metrics that are not always strongly correlated (e.g., Liu and Chan 1999; Knaff et al. 2014; Chavas and Lin 2016). Moreover, these two issues have resulted in ambiguities in the definition of TC size given the use of several disparate TC size metrics that may sample different regions of the same TC.

In contrast to the input datasets used in prior TC size studies, the use of a fixed numerical weather prediction model and data assimilation system in reanalyses (e.g., Thorne and Vose 2010; Bosilovich et al. 2013; Parker 2016) provides an opportunity for constructing a multidecadal TC size dataset that homogeneously samples each TC in space and time. However, there are three possible caveats when estimating TC size using reanalyses, including 1) TCs being too weak to define an outer TC size due to the coarse horizontal grid spacing and conservative physics parameterizations in reanalyses (e.g., Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017), 2) nonphysical trends in TC size due to changes in the observing system in time and space (e.g., Manning and Hart 2007; Thorne and Vose 2010; Bosilovich et al. 2013; Parker 2016), and 3) nonphysical TC structure due to the inability of reanalyses to resolve the TC inner core or due to reanalysis coding errors (Schenkel and Hart 2012; Murakami 2014; Kobayashi et al. 2015; Hodges et al. 2017). The impact of these potential caveats on reanalysis TC size has yet to be evaluated as previous work has primarily focused on examining the fidelity of reanalysis TC position, intensity, and thermodynamic structure (e.g., Manning and Hart 2007; Schenkel and Hart 2012; Murakami 2014; Wood and Ritchie 2014; Hodges et al. 2017).
Despite not focusing on reanalysis TC size, previous work has identified three parameters that serve as proxies for other factors that may influence the fidelity of reanalysis TC representation: 1) best-track TC latitude, 2) extended best-track TC size (Demuth et al. 2006), and 3) best-track TC age (i.e., time that has elapsed since best-track TC maximum 10-m wind speed first equals or exceeds 34 kt (17 m s\(^{-1}\); Kossin et al. 2007a,b; Schenkel and Hart 2012). Specifically, reanalysis TC intensity was found to increase with increasing latitude (Schenkel and Hart 2012), which was a nonphysical artifact of reanalyses potentially resulting from greater observation densities at higher latitudes (Hatsushika et al. 2006; Vecchi and Knutson 2008), increasing postprocessed grid spacing with increasing latitude (Schenkel and Hart 2012), and weaker, more easily resolvable horizontal gradients associated with the expansion of the TC wind field in extratropically transitioning TCs (e.g., Brand and Guard 1979; Hart et al. 2006; Evans and Hart 2008). Second, reanalysis TC intensity exhibited systematic increases with larger extended best-track TC sizes potentially due to weaker, more easily resolvable horizontal gradients in larger TCs and an increased number of observations sampling these larger TC wind fields (Schenkel and Hart 2012). Third, TC age was also shown to be positively correlated with reanalysis TC intensity, which was also hypothesized to be a nonphysical reanalysis artifact possibly resulting from older TCs being better sampled by observations with time and the inability of reanalyses to simulate realistic TC intensification processes (Schenkel and Hart 2012). Each of these three factors are also likely strongly correlated with one another (Schenkel and Hart 2012).

It is important to note that reanalyses have been previously used for several TC-related applications including using reanalysis TC winds to derive TC size datasets (Knaff and Zehr 2007; Knaff et al. 2014) and calculating TC power dissipation (Sriver and Huber 2006). Reanalysis thermodynamic fields have been used to diagnose the onset and end of extratropical transition for TCs (e.g., Evans and Hart 2003; Kitabatake 2011; Wood and Ritchie 2014). Reanalysis wind and thermodynamic fields have also been used to identify potentially “missing” TCs in observations prior to the satellite era (Truchelut and Hart 2011; Truchelut et al. 2013).

Given the advantages and disadvantages of reanalyses, the present study seeks to determine the fidelity of TC size for the outer near-surface wind field within four atmospheric reanalysis datasets through comparison with QuikSCAT data. Outer TC wind structure and size metrics are examined given their importance to the physics of the complete TC wind field (e.g., Chan and Chan 2014; Chavas and Emanuel 2014; Chan and Chan 2015b; Chavas et al. 2015; Chavas and Lin 2016) and the inability of reanalyses to resolve inner TC winds (Manning and Hart 2007; Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017). If proven accurate and precise, reanalyses potentially can provide a longer-term TC size dataset compared to QuikSCAT that more homogeneously samples the TC wind field in space and time. The present study has four main objectives: 1) analyze the accuracy and precision of reanalysis TC size and wind field structure relative to observations, 2) investigate whether an optimal TC size metric exists in each reanalysis dataset, 3) determine which reanalysis dataset has TC size and structure estimates that most closely match observations, and 4) examine the fidelity of reanalysis TC size beyond the QuikSCAT era (2000–09). The applications of these results include, but are not limited to, using reanalysis-derived TC size estimates to construct radial profiles of azimuthal-mean near-surface winds (Chavas et al. 2015; Chavas and Lin 2016) for use in wind and storm surge modeling (Lin et al. 2014; Lin and Emanuel 2016).

For the remainder of the manuscript, section 2 describes the datasets used as well as the methodology for computing TC size. Section 3a intercompares the precision and accuracy of reanalysis TC size with QuikSCAT, while section 3b examines the full radial profile of TC winds. Section 3c analyzes the potential relationships of reanalysis TC size with parameters such as TC latitude and observed TC size. Section 3d investigates reanalysis TC size estimates throughout the QuikSCAT and satellite eras, when QuikSCAT TC size data are not always available. Section 4 summarizes the results.

2. Data and methods
   a. Data
      1) REANALYSIS DATA

In the present study, the fidelity of TC size is examined within four atmospheric reanalysis datasets: 1) the National Centers for Environmental Prediction (NCEP) Climate Forecast System Reanalysis (CFSR; Saha et al. 2010), 2) the European Centre for Medium-Range Weather Forecasts (ECMWF) interim reanalysis (ERA-Interim, hereafter ERA-I; Dee et al. 2011), 3) the Japanese Meteorological Agency (JMA) Japanese 55-year Reanalysis (JRA-55; Kobayashi et al. 2015), and 4) the National Aeronautics and Space Administration (NASA) Modern-Era Retrospective Analysis for Research and Applications, version 2 (MERRA-2; Gelaro et al. 2017). The salient details for each reanalysis are provided in Table 1.

As shown in Table 1, three of the four reanalyses supplement TC initialization at each analysis time to
improve TC representation (e.g., Hatsushika et al. 2006; Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017). Specifically, the JRA-55 utilizes TC wind profile retrievals, which involves the assimilation of synthetic dropwindsondes created from an approximation of the TC wind field that incorporates best-track TC intensity and size data (Hatsushika et al. 2006; Onogi et al. 2007; Kobayashi et al. 2015). The use of TC wind profile retrievals has been shown to minimize reanalysis TC position errors and improve the representation of reanalysis TC intensity and structure (e.g., Schenkel and Hart 2012; Murakami 2014; Kobayashi et al. 2015; Hodges et al. 2017). It is important to note that the wind speed of the synthetic dropwindsondes in the JRA-55 exhibits a nonphysical weakening trend beginning in 1988 resulting in decreasing TC detection rates and weaker than expected TC structure (Kobayashi et al. 2015). The CFSR and MERRA-2 utilize vortex relocation, which involves either 1) relocating the reanalysis TC to its best-track location at each analysis time or 2) inserting a bogus vortex if the reanalysis TC is missing or too weak (Liu et al. 2000; Saha et al. 2010; Gelaro et al. 2017). In addition to reducing reanalysis TC position errors, the relocation of the TC may also improve the estimation of TC intensity and structure, potentially due to the improved representation of TC–environment interactions and a heightened probability of near-TC observations being assimilated by the reanalysis (e.g., Saha et al. 2010; Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017). However, a coding error in the vortex relocation for the CFSR has resulted in the occurrence of nonphysical TC structure in some cases (Schenkel and Hart 2012).

2) QUIKSCAT DATA

To compare reanalysis TC size with observations, we use version 1 of the QuikSCAT Tropical Cyclone Radial Structure Dataset (QSCAT-R; Chavas and Vigh 2014). QSCAT-R provides radial profiles of the azimuthal-mean 10-m azimuthal wind calculated from version 3 of the NASA Jet Propulsion Laboratory (JPL) QuikSCAT database that has been further optimized for TCs using a neural network algorithm to increase its accuracy and reduce rain contamination (Stiles et al. 2014). QSCAT-R provides radial wind profiles for selected TCs globally from 2000 to 2009 with a horizontal grid spacing of 6.25 km accurately measuring wind speeds up to 40 m s⁻¹ (Chavas and Vigh 2014).

It is important to note that QuikSCAT data are ingested and assimilated into each reanalysis suggesting that reanalysis and QSCAT-R TC size are not necessarily independent. Assimilation of QuikSCAT data likely improves reanalysis TC size estimates at the nearest 6-h time to the QuikSCAT overpass and potentially beyond owing to the improved representation of TC–environment interactions in reanalyses. Moreover, TC representation both before and after the QuikSCAT overpass is also likely improved in the ERA-I and JRA-55 owing to the use of four-dimensional variational data assimilation (Dee et al. 2011; Kobayashi et al. 2015).

Despite the lack of independence between QuikSCAT and reanalyses, there are five reasons why reanalysis and QSCAT-R TC size may differ: 1) QuikSCAT and, thus, QSCAT-R sample the TC wind field in 1800-km swaths that may miss part of the TC wind field. 2) QuikSCAT cannot retrieve wind data in regions of rainfall (e.g., Stiles et al. 2014). 3) the horizontal grid spacing of QSCAT-R is a factor of ~4–6 times finer than reanalyses (Table 1). 4) reanalyses ingest QuikSCAT data at a coarsened horizontal grid spacing that may exclude data near the swath edges (e.g., data coarsened to 50-km horizontal grid spacing; Dee et al. 2011), and 5) reanalyses are numerical weather prediction models that may contain strong differences with observed TC structure and position (e.g., Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017) such that QuikSCAT data ingested by the reanalysis have negligible impact.

3) BEST-TRACK TC DATA

The present analysis examines North Atlantic (NA) and western North Pacific (WNP) TCs from version 3, revision 9, of the International Best Track Archive for Climate Stewardship (IBTrACS; Knapp et al. 2010).

| Table 1. Information on the four reanalyses datasets used in this study. For the number denoting the native reanalysis grid spacing, T refers to the mean wave truncation number, C refers to the number of points across each model tile for a cubed sphere grid, and L refers to the number of vertical levels. The asterisk denotes the approximate horizontal grid spacing for the postprocessed data for reduced Gaussian grids. |
|---|---|---|---|---|---|---|
| Dataset | Native grid spacing | Postprocessed grid spacing | Radial profile grid spacing (km) | Reanalysis period | TC initialization | Reference |
| NCEP CFSR | T382 L64 | 0.50° × 0.50° L37 | 27.5 | 1979–2010 | Vortex relocation | Saha et al. (2010) |
| ECMWF ERA-I | T255 L60 | 0.70° × 0.70° L37 | 37.5 | 1979–2015 | None | Dee et al. (2011) |
| JMA JRA-55 | T319 L60 | 0.56° × 0.56° L60 | 30.0 | 1979–2015 | TC wind profile retrieval | Kobayashi et al. (2015) |
| NASA MERRA-2 | C180 L72 | 0.625° × 0.50° L42 | 32.5 | 1980–2015 | Vortex relocation | Gelaro et al. (2017) |
Specifically, National Hurricane Center data are used for NA TCs and Joint Typhoon Warning Center data are utilized for WNP TCs. NA and WNP TCs are chosen for analysis given that these basins contain the smallest errors in reanalysis TC track and intensity (e.g., Schenkel and Hart 2012; Murakami 2014) and to avoid the greater uncertainty of IBTrACS data for north Indian Ocean and Southern Hemisphere TCs (e.g., Landsea et al. 2006).

In light of the reanalysis TC position errors (Schenkel and Hart 2012; Hodges et al. 2017), reanalysis TC position is determined in three steps (Brammer 2017). To begin, the first-guess position for the reanalysis TC is defined using the IBTrACS position added to the previous 6-h vector difference between the reanalysis and IBTrACS TC location. Next, the center of mass near the first-guess position is computed for six reanalysis variables: mean sea level pressure, 925-hPa relative vorticity, 850-hPa relative vorticity, 850-hPa geopotential height, and 700-hPa geopotential height (Marchok 2002). Finally, reanalysis TC position is defined by averaging the centers of mass from the six reanalysis variables that are found within 300 km of the 850-hPa relative vorticity center of mass (Brammer 2017). Use of alternative TC centering methods (Nguyen et al. 2014; Ryglicki and Hart 2015; Ryglicki and Hodysy 2016) do not significantly alter the results. It is important to emphasize that this methodology is not a TC tracker, which is largely independent from the IBTrACS tracks (Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017). Rather our methodology is strongly dependent on the IBTrACS by using each 6-h IBTrACS position as a first guess to help locate the corresponding reanalysis TC position.

In the current study, we first examine TCs of at least tropical storm strength (best-track 1-min maximum 10-m wind speed $\geq 17.5 \text{ m s}^{-1}$) that are sampled by QSCAT-R before investigating TCs throughout the QSCAT-R era (2000–09) and satellite era (~1979–2015; see Table 1 for reanalysis availability). Given that QSCAT-R does not necessarily correspond to regular synoptic times, best-track data are interpolated to the time of the QSCAT-R overpass using linear interpolation.

b. Methodology for calculating TC size

In the present study, TC size is defined as the size of outer near-surface azimuthal wind field. Six outer TC size metrics are examined including the radius at which the azimuthal-mean 10-m azimuthal wind equals 2 ($r_2$), 4 ($r_4$), 6 ($r_6$), 8 ($r_8$), 10 ($r_{10}$), and 12 m s$^{-1}$ ($r_{12}$). Similar outer TC size metrics have been used in prior work (e.g., Chavas and Emanuel 2010; Knaff et al. 2014; Chavas and Lin 2016), which partially motivates examining a range of thresholds. Most importantly, the azimuthal wind speed threshold yielding the closest match between reanalyses and QSCAT-R is of great interest for developing a reanalysis TC size dataset.

In the present study, reanalysis TC size is defined using the azimuthal-mean 10-m azimuthal wind following Chavas and Vigh (2014):

1) construct a TC-centered polar coordinate system for 10-m total wind vectors at the postprocessed grid spacing of each dataset (Table 1);
2) exclude all 10-m total wind vectors over land;
3) remove the environmental wind field, which is assumed to be uniform at all radii and is empirically defined as the TC translation vector rotated 20$^\circ$ cyclonically and reduced by a factor of 0.55 (Lin and Chavas 2012);
4) compute the azimuthal wind field and calculate the azimuthal-mean wind profile;
5) interpolate the radial profile of the azimuthal-mean 10-m azimuthal wind to a regular grid with grid spacing equivalent to $\sim 0.5$ times the horizontal grid spacing of each dataset (Table 1) using a piecewise cubic Hermite interpolating polynomial;
6) remove all radial data points where the data asymmetry parameter $\chi$ is greater than 0.5, where $\chi$ is defined as the magnitude of the vector mean of all vectors from the storm center to each defined grid point included at a given radius normalized by the mean distance of the storm center to each grid point (Chavas and Vigh 2014);
7) extract $r_2$, $r_4$, $r_6$, $r_8$, $r_{10}$, and $r_{12}$ from the radial profile of the azimuthal-mean 10-m azimuthal wind; and
8) exclude any TC size estimates if any of the following three conditions are met for both QSCAT-R and reanalyses: (i) TC size estimate is less than 50 km (i.e., $\sim 4$ times QuikSCAT horizontal grid spacing; Chavas et al. 2016), (ii) radial profiles of azimuthal-mean 10-m azimuthal wind radially inwards of the reanalysis TC size estimate contain missing data over two or more consecutive reanalysis radial grid points or over the equivalent radial distance in QSCAT-R, or (iii) reanalysis or QSCAT-R TC size is undefined.

As an example of case studies with precise and imprecise TC size estimates, Figs. 1a,b contain radial profiles of the azimuthal-mean 10-m azimuthal wind for NA TC Isabel at 1028 UTC 15 September 2003 and NA TC Epsilon at 2058 UTC 05 December 2005, respectively. Figure 1a shows that both the shape and magnitude of TC Isabel’s outer reanalysis wind field is in close agreement with QSCAT-R, especially at radii beyond 300 km. As a result, reanalysis $r_8$ is very close to QSCAT-R $r_8$ with differences ranging from $\sim 3$ to 34 km. It is important to emphasize that TC size is
accurately measured despite the underestimation of the wind field near the TC center, which occurs for many reanalysis TCs (e.g., Schenkel and Hart 2012; Murakami 2014; Kobayashi et al. 2015; Hodges et al. 2017). In contrast, Fig. 1b shows large differences in the shape and magnitude of the outer wind field of TC Epsilon between reanalyses and QSCAT-R, as the storm is weakly represented in reanalyses. As expected, differences between reanalysis and QSCAT-R $r_8$ for TC Epsilon are large ranging from ~207 to 233 km with the ERA-I wind field being too weak to estimate $r_8$. As will be shown below, the majority of TCs are represented in a manner that generally falls between these two cases.

c. Statistical significance testing

The present study utilizes three types of statistical significance testing. Statistical comparison of median values is conducted using the 95% confidence interval of medians computed from a 1000-sample bootstrap approach with replacement for a two-tailed test. The statistical difference of Pearson correlation coefficients from zero is determined by computing its 95% confidence interval for a two-tailed test using a Fisher transformation. Finally, the statistical similarities between TC size distributions are determined using two-sample Kolmogorov–Smirnov testing at the 5% level for a two-tailed test. The number of distinctly named TCs, rather than the number of 6-h IBTrACS data points, is conservatively chosen as the sample size used in the 1000-sample bootstrap approach and in the Fisher transformation (e.g., Schenkel and Hart 2012, 2015a,b) given the stability in time of the outer circulation for each TC (e.g., Weatherford and Gray 1988a; Merrill 1984; Chavas and Emanuel 2010; Chavas and Lin 2016).

3. Analysis and results

a. Quantifying the precision and accuracy of reanalysis TC size

The analysis begins by examining all QSCAT-R TC size observations for each TC size metric to determine how often a corresponding reanalysis TC size can be estimated for the NA (Fig. 2) and WNP (Fig. 3). Reanalysis $r_{10}$ and $r_{12}$ are defined for a smaller percentage of QSCAT-R TC size estimates; 20%–78% largely due to reanalyses frequently being unable to resolve azimuthal-mean 10-m azimuthal wind speeds at or exceeding ~10 m s$^{-1}$, especially in the NA (e.g., Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017). Comparison of NA and WNP TCs reveals that reanalysis TC size is defined for a greater fraction of WNP cases. Intercomparison among reanalyses reveals that TC size is
defined more frequently in the JRA-55, MERRA-2, and especially the CFSR compared to the ERA-I likely because of improved reanalysis TC representation resulting from their use of either vortex relocation or TC wind profile retrievals (Table 1; e.g., Schenkel and Hart 2012; Murakami 2014; Hodges et al. 2017).

With these results in mind, the remainder of the analysis, with the exception of section 3d, only compares cases where both QSCAT-R and reanalysis TC size are defined for a given TC size metric. To quantify the precision of reanalysis TC size estimates, box-and-whisker plots of the difference between reanalysis and QSCAT-R (along the x axis) $r_2$, $r_4$, $r_6$, $r_8$, $r_{10}$, and $r_{12}$ (km) in the NA. The box plot displays the median (black horizontal line near box center), the 95% confidence interval of the median calculated from a 1000-sample bootstrap approach with replacement (notches on boxes), the interquartile range (box perimeter; $[q_1, q_3]$), whiskers [black dashed; $[q_1 - 1.5(q_3 - q_1), q_3 + 1.5(q_3 - q_1)]$, and outliers (filled circles).

metrics in each basin, suggestive of the importance of vortex relocation and TC wind profile retrievals. However, MERRA-2 exhibits the largest TC size differences despite the use of vortex relocation suggesting...
the importance of other factors (e.g., model numerics and physics; Reed and Jablonowski 2011, 2012; Reed et al. 2012) in reanalysis TC size representation.

The accuracy of reanalysis TC size relative to QSCAT-R is depicted in Taylor diagrams containing the Pearson correlation coefficients, normalized standard deviations, and root-mean-square difference calculated between QSCAT-R and each of the four reanalyses. All Pearson correlation coefficients are statistically significantly different from 0 at the 95% confidence interval for a two-tailed test ($p \ll 0.05$).

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Together, the results presented thus far yield the following broader conclusions regarding reanalysis TC size:

- The high precision and accuracy of TC size metrics, especially $r_6$–$r_{10}$, in both basins suggest that outer TC structure is well represented in reanalyses.
- Radii $r_6$–$r_8$ in the NA and $r_6$–$r_{10}$ in the WNP are generally the optimal TC size metrics to examine in each basin given the percentage of defined reanalysis TC size estimates and their precision and accuracy relative to QSCAT-R TC size.
- NA TC size is represented with greater accuracy and precision than WNP TC size in reanalyses.
- The CFSR and JRA-55 are the reanalyses that most closely match QSCAT-R TC size, suggesting the importance of supplementing TC initialization with either vortex relocation or TC wind profile retrievals.

b. Analysis of the radial profile of TC winds

To supplement the prior results on TC size, the median (solid line) with its 95% confidence interval
and the interquartile range (dashed lines) for the radial profile of the azimuthal-mean 10-m azimuthal wind in QSCAT-R and each reanalysis are featured for NA (Fig. 8) and WNP TCs (Fig. 9). The hatched background denotes radii in which the distributions of reanalysis and QSCAT-R TC winds are likely not statistically significantly different according to a two-sample Kolmogorov–Smirnov test \((p \geq 0.05)\). Figures 8 and 9 demonstrate that reanalysis TC winds, especially in the WNP, are generally weaker than QSCAT-R, consistent with reanalysis \(r_6–r_{12}\) largely being smaller than QSCAT-R (Figs. 4 and 5). In fact, neither the lower quartile nor, in some reanalyses, the median wind speed exceed 12 m s\(^{-1}\) in the WNP and 10 m s\(^{-1}\) in the NA at any radii. Such a result explains why \(r_{12}\) in the WNP and NA and \(r_{10}\) in the NA are frequently undefined in reanalyses (Figs. 2 and 3). NA TCs in the CFSR, ERA-I, and JRA-55 have wind distributions that are not statistically significantly different from QSCAT-R beginning at radii greater than or equal to 289, 431, and 375 km, respectively. These radial distances are \(5–7\) times the native model grid spacing in the CFSR, ERA-I, and JRA-55, consistent with the effective horizontal grid spacing in other models (e.g., Skamarock 2004), potentially providing a minimum horizontal scale for using reanalyses to examine various phenomena. Comparison of Figs. 8 and 9 with Figs. 2 and 3 reveals that \(r_2–r_8\) are generally located at radii beyond \(5–7\) times the reanalysis grid spacing, explaining why these TC size radii are generally regularly defined. Compared to the NA, WNP reanalysis TC winds are more strongly, and significantly, underestimated compared to QSCAT-R at all radii within all reanalyses (Fig. 9). This result is consistent with the larger differences between reanalysis and QSCAT-R TC size in the WNP (Fig. 5). Despite the low bias in WNP reanalysis TC winds, the width of the interquartile range and shape of the radial profile of reanalysis and QSCAT-R wind fields are very similar especially at and radially outward of \(300–400\) km radius (\(5–7\) times the native model grid spacing).
providing some confidence that reanalyses can also reasonably represent TC structure.

Additional insight is obtained by examining joint histograms of the azimuthal-mean 10-m azimuthal wind for NA (Fig. 10) and WNP (Fig. 11) TCs in QSCAT-R and each reanalysis. One-dimensional histograms of QSCAT-R and reanalysis winds are located above and to the right, respectively, of the joint histograms. To compare the reanalysis and QSCAT-R winds on the same radial grid, QSCAT-R winds are interpolated to the horizontal grid spacing of each reanalysis using a piecewise cubic Hermite interpolating polynomial. Both Figs. 10 and 11 also include the Pearson correlation coefficients calculated between reanalysis and QSCAT-R winds in each joint histogram. The joint histograms and their respective correlations \(0.77 \leq R_{all} \leq 0.89; p \ll 0.05\) suggest that the reanalysis and QSCAT-R wind fields are strongly correlated with small biases for QSCAT-R wind speeds less than or equal to 10 m s\(^{-1}\) \(0.80 \leq R_{\leq 10} \leq 0.93; p \ll 0.05\). However, reanalysis winds are strongly underestimated for QSCAT-R wind speeds greater than 10 m s\(^{-1}\) especially for the ERA-I in the NA \(R = 0.17; p > 0.05\), as well as in other reanalyses in both basins \(0.26 \leq R_{\leq 10} \leq 0.64; p < 0.05\) consistent with the underestimation of best-track TC intensity by reanalyses. Similar to the results for TC size, NA reanalysis TC winds generally exhibit stronger correlations with QSCAT-R than WNP TCs, especially for TC winds less than or equal to 10 m s\(^{-1}\). While the CFSR, JRA-55, and MERRA-2 most closely match QSCAT-R for all wind speeds, the CFSR and JRA-55 consistently represent QSCAT-R TC wind speeds less than or equal to 10 m s\(^{-1}\) with the greatest fidelity, which agrees with the results for TC size (Figs. 4–7).

Consistent with the reanalysis TC size results, the azimuthal-mean 10-m azimuthal winds in reanalyses are similar to QSCAT-R particularly for wind speeds less than or equal to 10 m s\(^{-1}\), providing insight into the strong correlations and small biases in outer TC size estimates, particularly for \(r_0-r_{10}\). Most importantly, these results provide additional evidence suggesting that outer TC winds are well represented in reanalyses.

c. Trends in the fidelity of reanalysis TC size

The difference between reanalysis and QSCAT-R TC size exhibits trends with QSCAT-R TC size and TC
latitude. In the interest of brevity, the present section only examines $r_8$ in the NA and $r_{10}$ in the WNP given that the trends for these TC size radii are similar to the other TC size metrics. Beginning with QSCAT-R TC size, box-and-whisker plots of the difference between reanalysis and QSCAT-R TC size and their sample sizes (shaded bars) are binned according to QSCAT-R $r_8$ in the NA (Fig. 12) and $r_{10}$ in the WNP (Fig. 13). Figures 12 and 13 show that increasingly larger QSCAT-R TC size bins are associated with increasingly negative TC size differences with broader distributions, which is supported by moderate negative correlations between these two quantities ($-0.49 \leq R \leq -0.29$; $p < 0.05$). The increasing TC size differences for larger QSCAT-R TCs may be due to increased uncertainty in QSCAT-R TC size estimates given that outer TC radii are not always well sampled by the 1800-km QuikSCAT swath widths (Chavas and Emanuel 2010; Chavas and Vigh 2014; Chan and Chan 2015a; Chavas et al. 2016). This trend is particularly strong in the WNP compared to the NA perhaps because WNP TCs are generally larger than NA TCs (e.g., Merrill 1984; Liu and Chan 1999; Chavas and Emanuel 2010; Knaff et al. 2014).

With regard to the relationship between TC size differences and TC latitude, box-and-whisker plots of the difference between reanalysis and QSCAT-R TC size and their sample sizes (shaded bars) are binned according to TC latitude for WNP TCs (Fig. 14). A similar figure for NA TCs is not shown given the absence of a similar relationship between TC size and TC latitude in that basin ($-0.05 \leq R \leq 0.13$). Figure 14 reveals that WNP TCs in the ERA-I, JRA-55, and MERRA-2...
exhibit decreasing TC size differences with increasing TC latitude as evidenced by decreasing median TC size differences with narrower distributions. These reanalyses exhibit weak yet significant correlations between TC size differences and TC latitude (0.26 ≤ R ≤ 0.29; p < 0.05). However, the source of these trends is unclear given the absence of similar trends for WNP TCs in the CFSR and NA TCs in all reanalyses.

These results suggest that reanalysis TC size, like reanalysis TC intensity, may be ascribed to both physical processes and nonphysical model artifacts (e.g., changes in observing system in space and time; Thorne and Vose 2010; Bosilovich et al. 2013; Parker 2016). Together, the relationships between TC size differences and both QSCAT-R TC size and TC latitude may imply that low-latitude, large WNP TC sizes may be particularly underestimated.

d. Examining reanalysis TC size throughout QSCAT-R and satellite eras

Given that outer TC size does not exhibit interdecadal trends (Knaff et al. 2014), reanalysis TC size distributions across different time periods (e.g., satellite era) should be comparable to QSCAT-R. With this in mind, the current results section compares distributions of reanalysis TC size for all 6-h IBTrACS TC data during the QSCAT-R era (2000–09) and during the satellite era (~1979–2015; Table 1) with the previously examined distribution of QSCAT-R TC size and the corresponding distribution of reanalysis TC size. Similar to the prior section, ρ8 and ρ10 are used as TC size metrics in the NA and WNP, respectively, in the interest of brevity. Kernel density estimates and box-and-whisker plots for each of these four TC size subsets are featured for ρ8 in the NA (Fig. 15) and ρ10 in the WNP (Fig. 16). It is important to note that the QSCAT-R TC size distribution (for ρ12) has been previously shown to be lognormal (Chavas and Emanuel 2010; Chavas et al. 2016), which is used as a benchmark for evaluating the fidelity of reanalysis ρ8 and ρ10 distributions.

Beginning by comparing QSCAT-R ρ8 and ρ10 with the corresponding reanalysis ρ8 and ρ10 values, Figs. 15 and 16 reveal that reanalysis ρ8 in the NA and ρ10 in the WNP are qualitatively similar to the QSCAT-R distributions with positive skewness and approximately lognormal shape. In fact, Kolmogorov–Smirnov goodness-of-fit

![Image](456x418 to 466x655)

**FIG. 11.** As in Fig. 10, but for WNP TCs. Note the difference in the shading range in the joint histograms and the y axes in the one-dimensional histograms compared to Fig. 10.
testing \((p > 0.05)\) reveals that the reanalysis \(r_8\) and \(r_{10}\) distributions are likely lognormally distributed, except for the MERRA-2 in the NA. The distributions of both reanalysis \(r_8\) and \(r_{10}\) are generally slightly biased toward smaller values with narrower distributions than QSCAT-R. In spite of these differences, the distributions of NA \(r_8\) in the CFSR, ERA-I, and JRA-55 are likely similar to the corresponding distribution of QSCAT-R \(r_8\) as suggested by two-sample Kolmogorov–Smirnov testing \((p > 0.31)\) and median values that are not statistically significantly different from each other according to a 1000-sample bootstrap approach with replacement \((p > 0.05;\) Figs. 15 and 16). In contrast, WNP \(r_{10}\) in QSCAT-R and each reanalysis are not similar as shown by two-sample Kolmogorov–Smirnov testing \((p < 0.01)\) and statistically significantly different median TC values \((p < 0.05;\) Figs. 15 and 16), likely due to the previously discussed underestimation of WNP TC winds in reanalyses (Figs. 9 and 11).

Examination of reanalysis \(r_8\) and \(r_{10}\) distributions in the NA and WNP, respectively, for all 6-h IBTrACS data points during the QSCAT-R era and satellite era reveals similarities to the QSCAT-R distributions. Specifically, reanalysis \(r_8\) and \(r_{10}\) distributions are approximately positively skewed with a lognormal shape, while exhibiting a similar width to QSCAT-R distributions. However, \(r_8\) and \(r_{10}\) distributions during the QSCAT-R era and satellite era are not technically lognormal according to Kolmogorov–Smirnov goodness-of-fit tests \((p < 0.01)\). Each reanalysis \(r_8\) and \(r_{10}\) distribution during the QSCAT-R era and satellite era is also shifted toward smaller values in each basin relative to the QSCAT-R distribution with the exception of the ERA-I in the NA. Except for the JRA-55 in the NA during the satellite era \((p = 0.22)\), none of the CFSR, JRA-55, or MERRA-2 \(r_8\) and \(r_{10}\) distributions in the NA and WNP from either the QSCAT-R era or satellite era are statistically similar to QSCAT-R or the corresponding reanalysis distributions as revealed by two-sample Kolmogorov–Smirnov testing \((p < 0.02)\). In contrast, two-sample Kolmogorov–Smirnov
testing reveals that the ERA-I $r_8$ distributions in the NA during both the QSCAT-R era and satellite era are likely statistically similar to the QSCAT-R distribution ($p > 0.31$), while only the ERA-I $r_{10}$ distribution in the WNP during the satellite era is likely statistically similar to the QSCAT-R distribution ($p = 0.11$).

These results for $r_8$ in the NA and $r_{10}$ in the WNP suggest that reanalysis TC size distributions are generally well represented when the TC wind field is well sampled by QSCAT-R. Moreover, reanalysis TC size is represented with reasonable fidelity even when QuikSCAT data are not assimilated as is suggested by the analysis of the distributions of $r_8$ and $r_{10}$ for all 6-h IBTrACS data points during the QuikSCAT era and satellite era. In addition to these results, there are several additional reasons to suggest that reanalysis TC size is generally well represented. Specifically, QuikSCAT sampled a small subset of TCs (e.g., 27% of NA TCs and 33% of WNP TCs; Chan and Chan 2012; Chavas and Vigh 2014; Chavas et al. 2016), which may not be representative of the entire TC size distribution, suggesting that discrepancies likely should exist between QSCAT-R TC sizes and either QSCAT-R era or satellite era TC sizes. Moreover, QuikSCAT observations are just one source of lower-tropospheric observations assimilated into reanalyses that may improve TC size representation (e.g., aircraft reconnaissance and ship and buoy data), which are available throughout the satellite era (e.g., Hatsushika et al. 2006; Saha et al. 2010; Dee et al. 2011; Kobayashi et al. 2015). Any observations of TC size assimilated into the reanalysis will likely improve re-analysis TC size both during and beyond the time in which data are assimilated owing to the temporal inertia associated with the improved representation of TC–environment interactions. The use of four-dimensional variational data assimilation in ERA-I and JRA-55 also allows TC size observations to directly impact the reanalysis before and after the observing time within these reanalyses (Dee et al. 2011; Kobayashi et al. 2015). Moreover, the use of TC wind profile retrievals in the JRA-55, which accounts for TC size when generating synthetic dropwinds, suggests that the JRA-55 may be particularly well represented even in the absence of observations (Hatsushika et al. 2006; Onogi et al. 2007; Kobayashi et al. 2015). These arguments together with the qualitative similarities (e.g., skewness and shape) among the various reanalysis TC size distribution subsets (Figs. 15 and 16) may suggest that reanalysis TC size is represented with reasonable fidelity throughout the satellite era.

4. Summary and discussion

The present study has examined the fidelity of several outer TC size metrics and the outer TC winds (i.e., azimuthal-mean 10-m azimuthal wind) for NA and WNP TCs in four reanalysis datasets through comparison with QuikSCAT data (i.e., QSCAT-R). Specifically,
$r_2, r_4, r_6, r_8, r_{10},$ and $r_{12}$ in the CFSR, ERA-I, JRA-55, and MERRA-2 are compared against the QSCAT-R dataset to quantify the frequency in which reanalysis TC size is defined and how accurate and precise these estimates are. The accuracy and precision of the radial profile of azimuthal-mean 10-m azimuthal wind for reanalysis TCs are also analyzed. Trends in the difference between reanalysis and QSCAT-R TC size with QSCAT-R TC size and TC latitude are also examined. The final portion of this study investigates reanalysis TC size for all 6-h IBTrACS data points during the QSCAT-R era and satellite era. Based upon these results, the present study suggests that reanalyses can reasonably represent both outer TC size and outer structure not only when QuikSCAT data are available for assimilation but likely throughout the satellite era as well. In particular, the following conclusions are made for reanalysis TC size:

1) $r_6-r_8$ in the NA and $r_6-r_8$ in the WNP are the optimal choices of TC size metrics, 2) NA outer TC size and outer structure are more accurately represented than WNP TCs, and 3) the CFSR and JRA-55 generally depict outer TC size and outer structure with the greatest fidelity.

More specifically, TC size metrics with wind speed thresholds less than 10 m s$^{-1}$ in the NA and 12 m s$^{-1}$ in the WNP are the optimal choices of TC size metrics, 2) NA outer TC size and outer structure are more accurately represented than WNP TCs, and 3) the CFSR and JRA-55 generally depict outer TC size and outer structure with the greatest fidelity.

Reanalysis TC size metrics are strongly, and statistically significantly, correlated with QSCAT-R TC size, especially for the CFSR and JRA-55. The variability of reanalysis TC size is generally close to but slightly less than QSCAT-R TC size.

Further insight is provided by examining radial profiles of the azimuthal-mean 10-m azimuthal wind revealing that wind speeds at or below $\sim$10 m s$^{-1}$ are strongly, and statistically significantly, correlated in each reanalysis. While reanalysis TC wind speeds are slightly underestimated consistent with the TC size results, the shape and interquartile range of the radial profile of reanalysis TC winds are very similar to QSCAT-R. These results suggest that outer TC structure is relatively well represented in reanalyses in both basins. In contrast, azimuthal-mean 10-m azimuthal winds exceeding $\sim$10 m s$^{-1}$ appear to show a relatively strong, nonlinear underestimation in reanalyses suggesting that $r_{12}$ should not be studied in reanalyses. Additional analysis reveals that reanalysis TC size representation may be impacted by increases in TC size error with increasing QSCAT-R TC size in both basins and with decreasing TC latitude in the WNP.

Last, distributions of $r_8$ in the NA and $r_{10}$ in the WNP from QSCAT-R are compared with the corresponding reanalysis distributions demonstrating that while both sets of distributions are approximately lognormal, the reanalysis distributions are slightly narrower and biased toward smaller values. Distributions of $r_8$ and $r_{10}$ are examined in the interest of brevity given that these results are qualitatively similar to other TC size metrics.
examined in the present study. Analysis of the reanalysis $r_8$ and $r_{10}$ distribution for all 6-h IBTrACS data points during the QSCAT-R era and satellite era reveals qualitatively similar distributions with a lognormal shape, positive skewness, and similar width compared to QSCAT-R TCs, although statistical testing generally suggests statistically significant differences with QSCAT-R exist between all reanalyses except the ERA-I. The similarities between the distributions of $r_8$ and $r_{10}$ for QSCAT-R TCs and for all 6-h IBTrACS TCs during the satellite era suggests that reanalysis $r_8$ and $r_{10}$ may be reasonably represented during the satellite era. Together, these results suggest that reanalyses represent a long-term, objective, and homogeneous source of TC size estimates and outer TC structure that may be particularly useful for climatological studies of TC size.

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